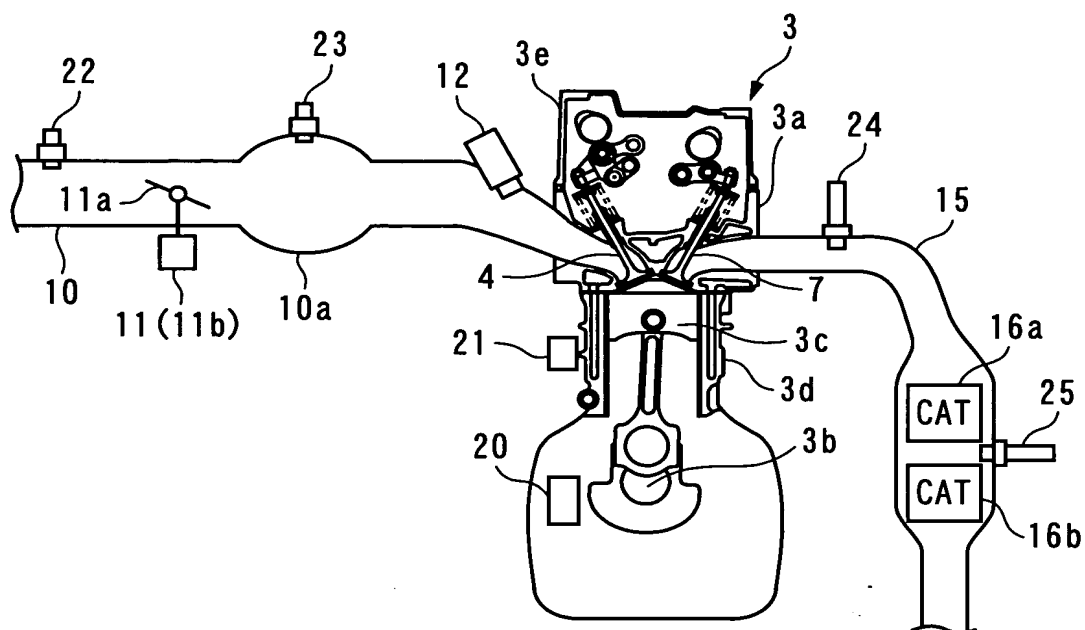
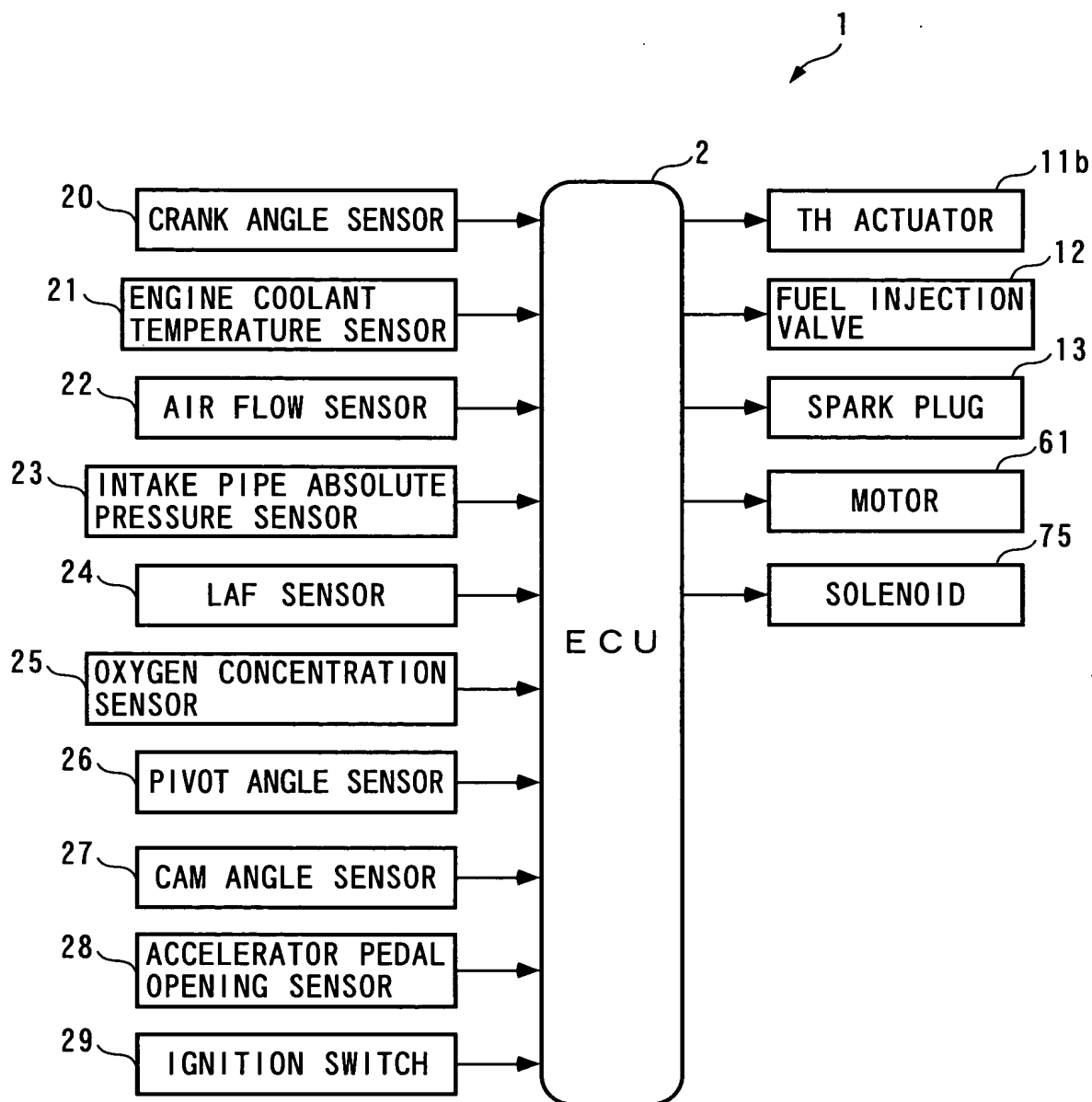


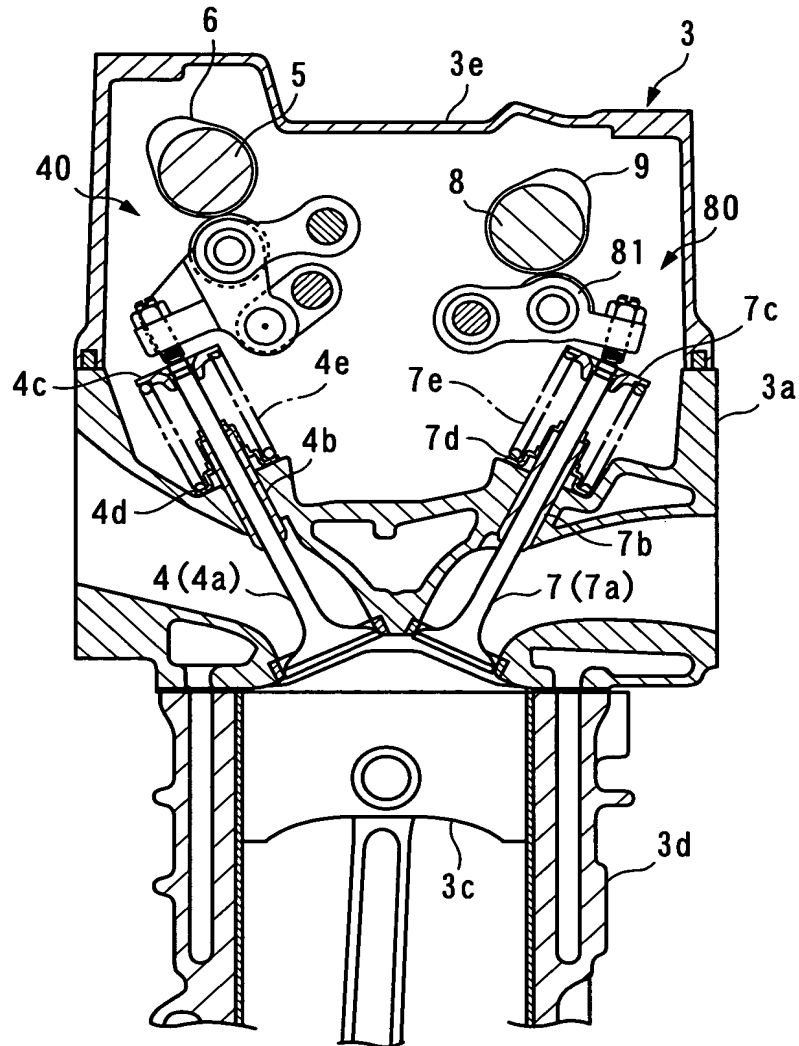
F I G. 1



F I G . 2

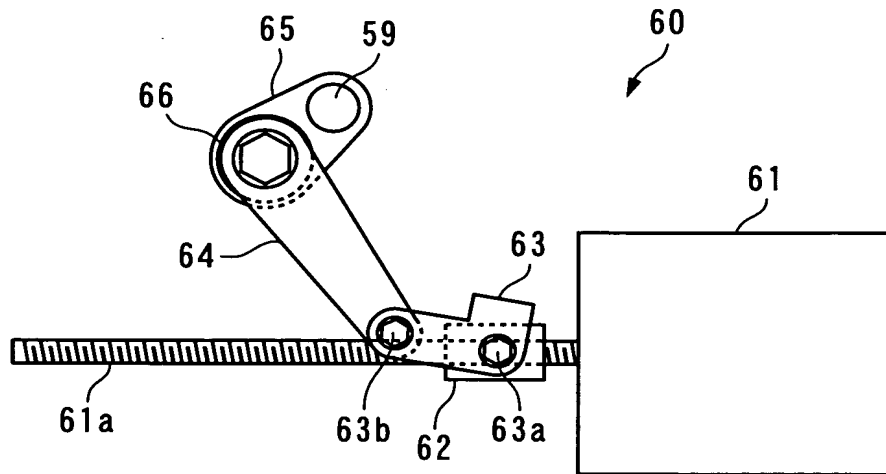


F I G . 3

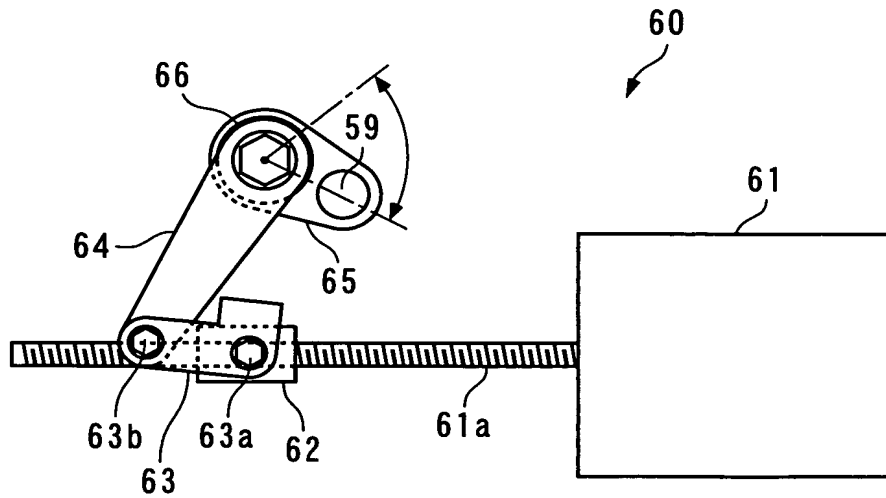


F I G . 5

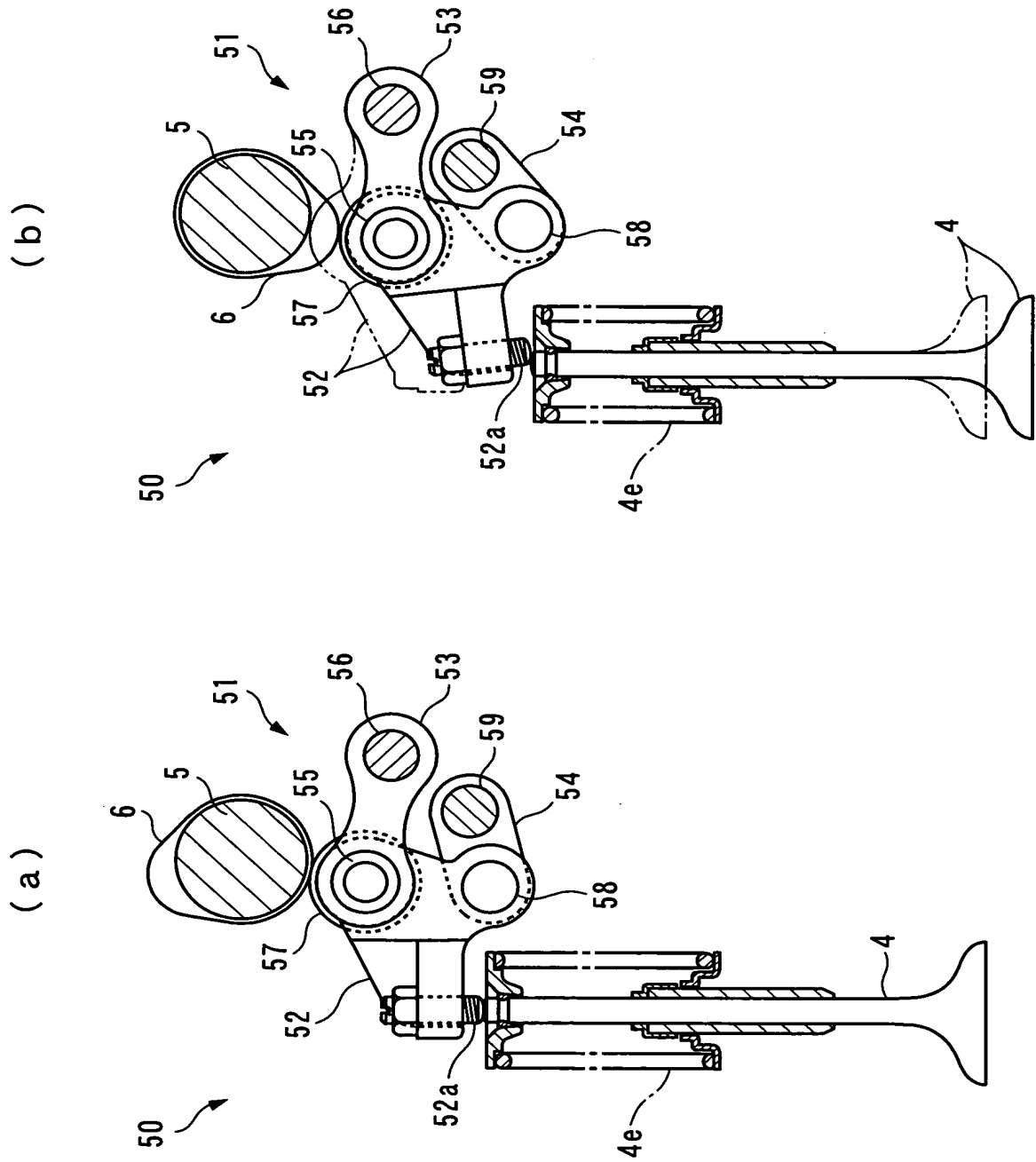
(a)



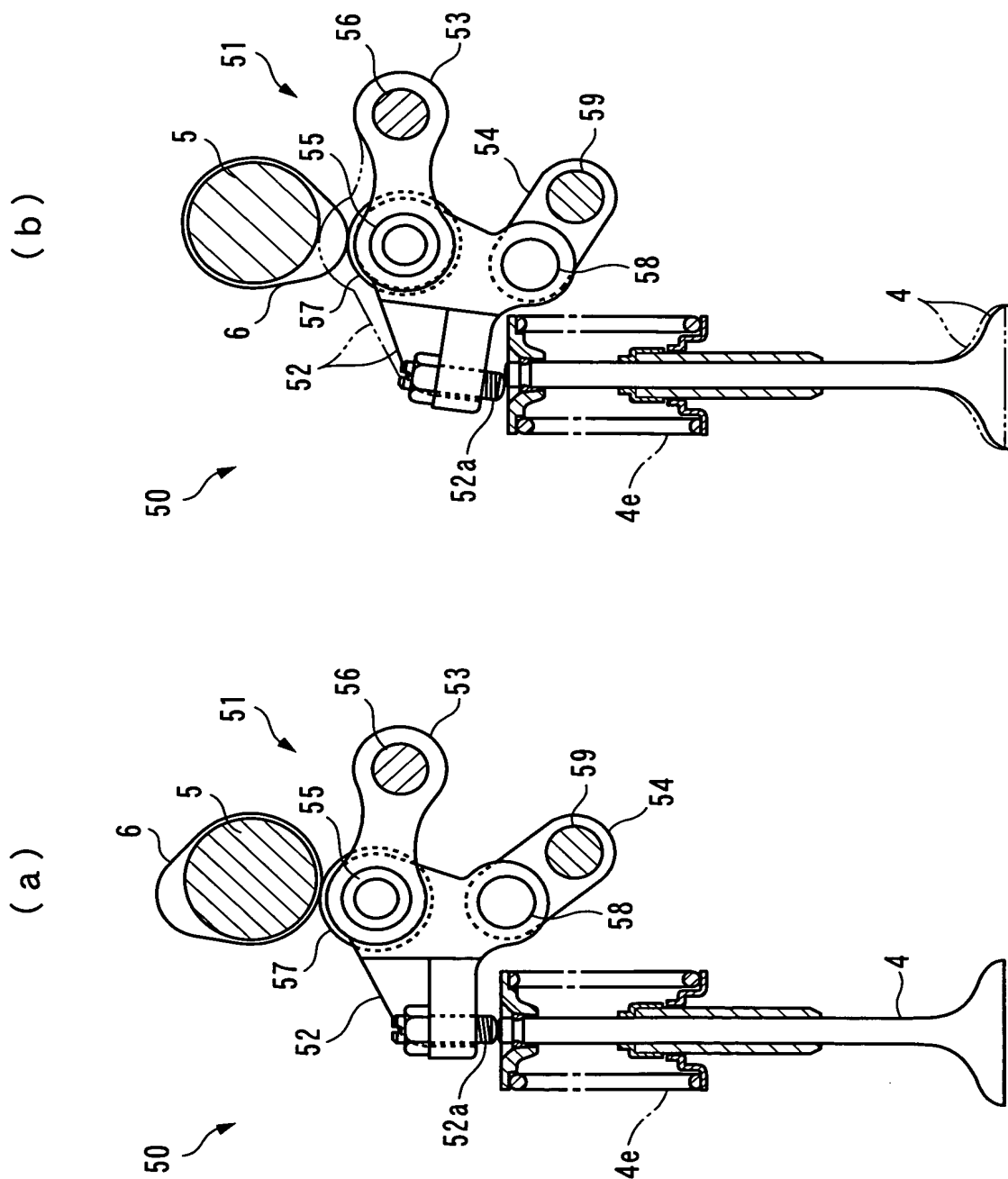
(b)



F I G . 6



F I G . 7

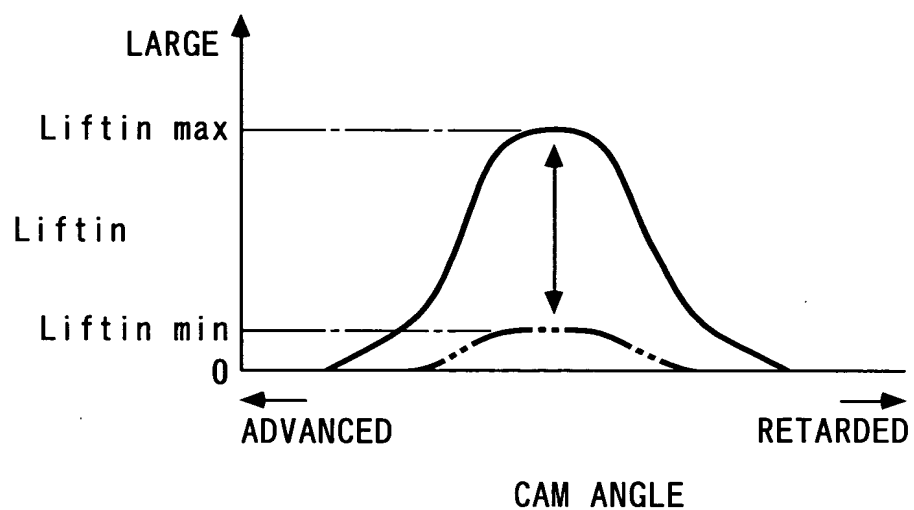


H 0 3 - 1 7 4 5

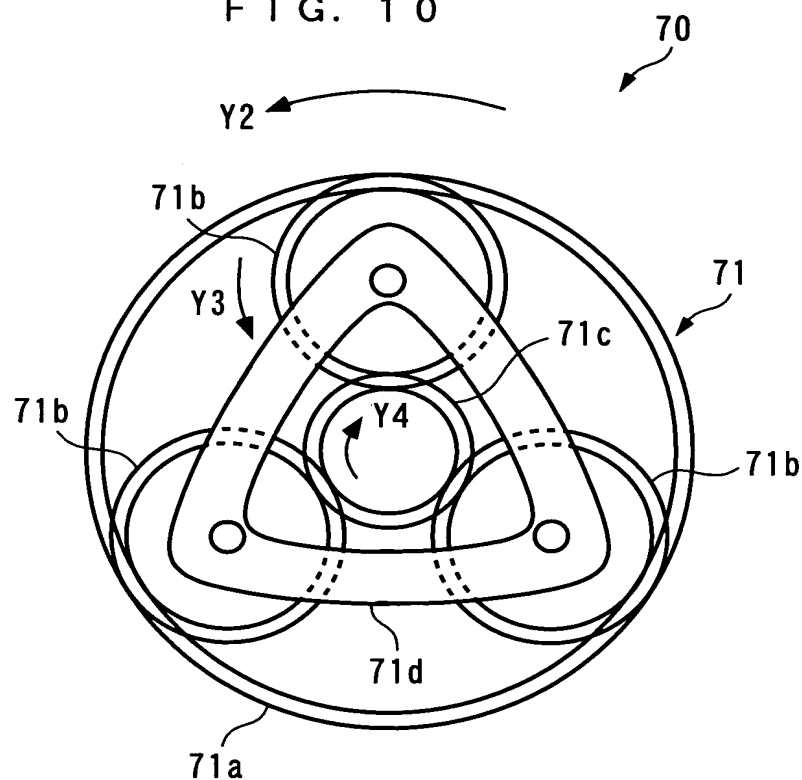
Title: Intake Air Amount Control System for
Internal Combustion Engine
Inventor: YASUI, et al.
Appl. No.: New Application
Docket No.: 108419-00082

(8 / 4 5)

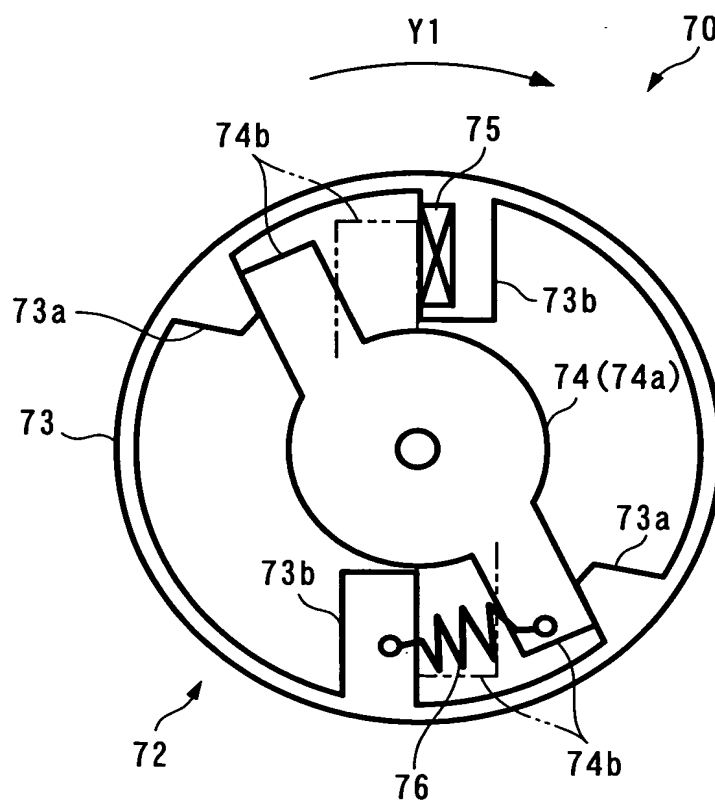
F I G. 8



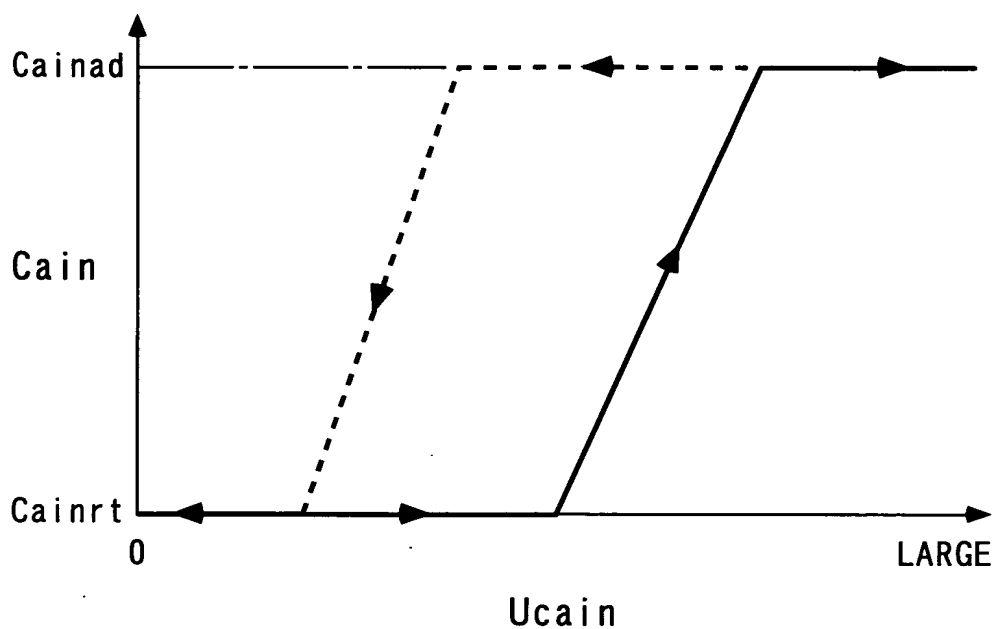
F I G . 1 0



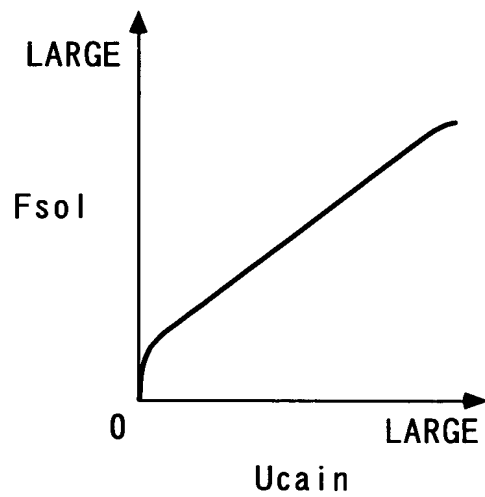
F I G . 1 1



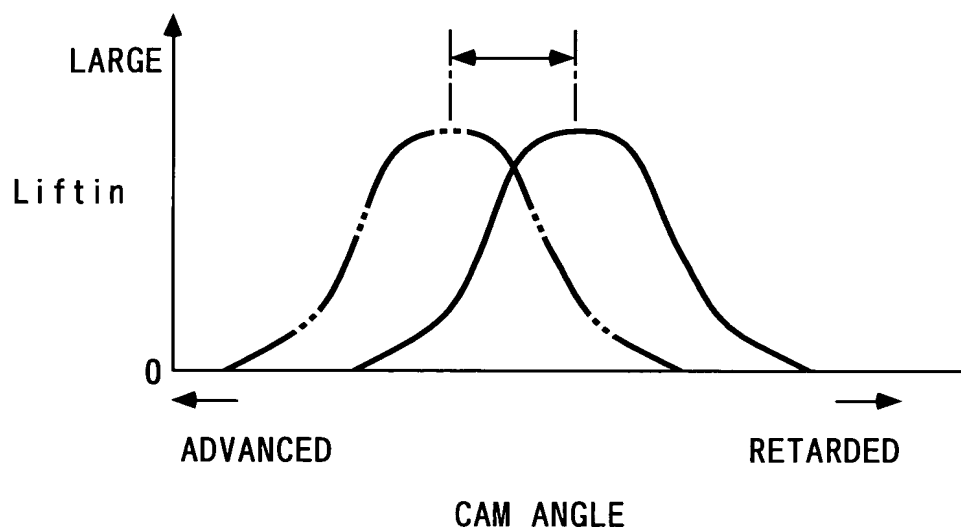
F I G. 1 2



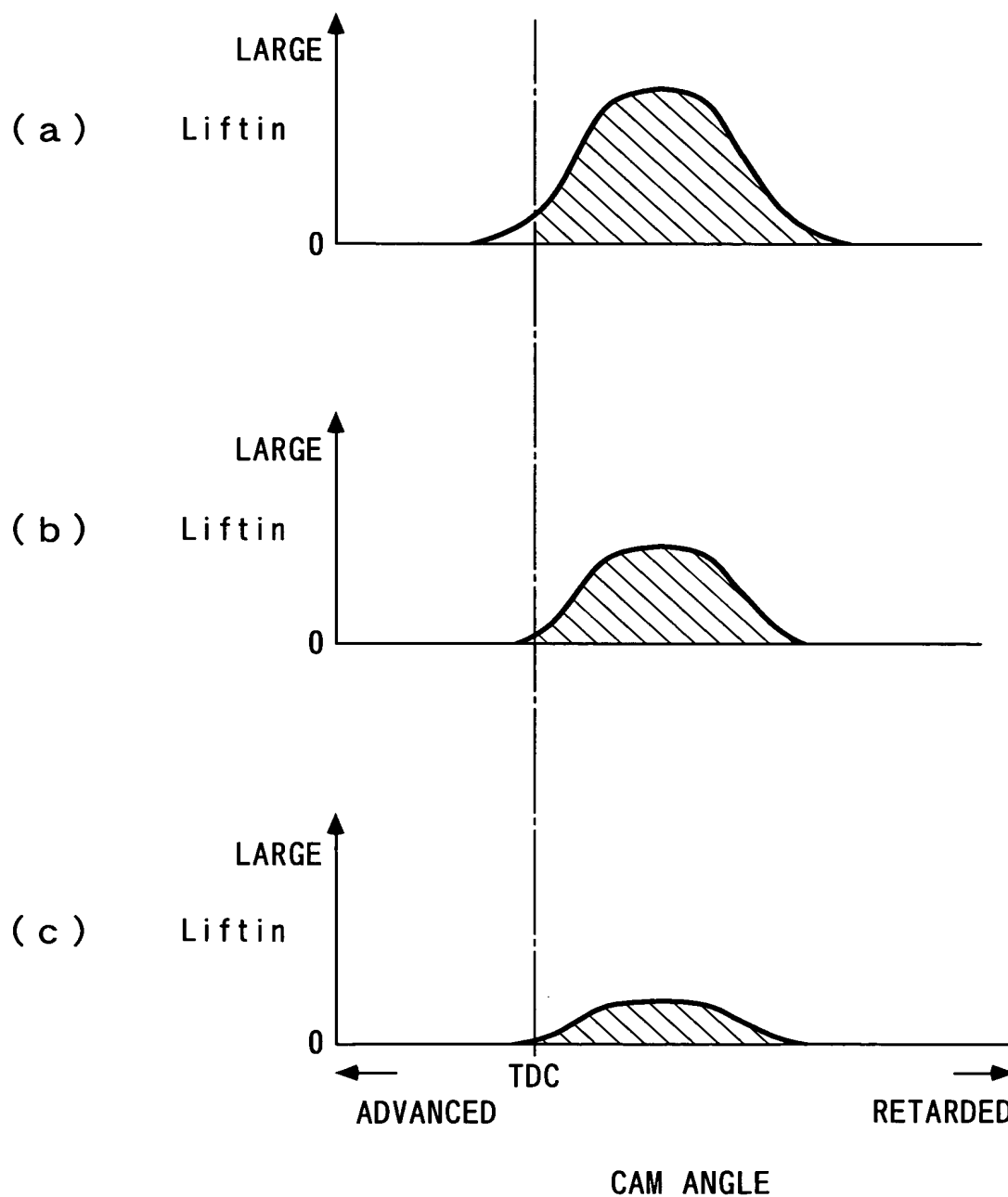
F I G. 1 3



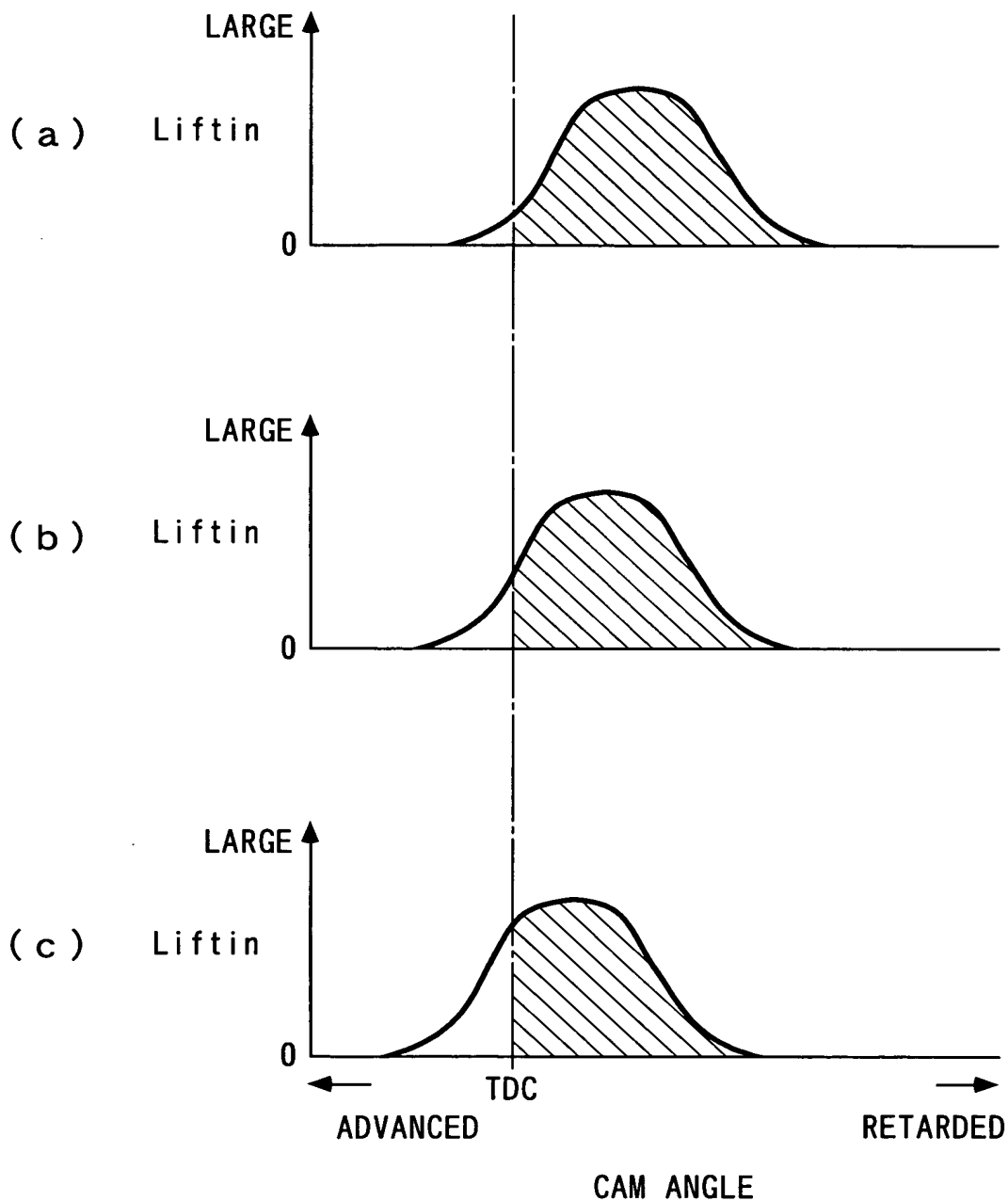
F I G . 1 4



F I G . 1 5



F I G . 1 6



F I G. 1 7

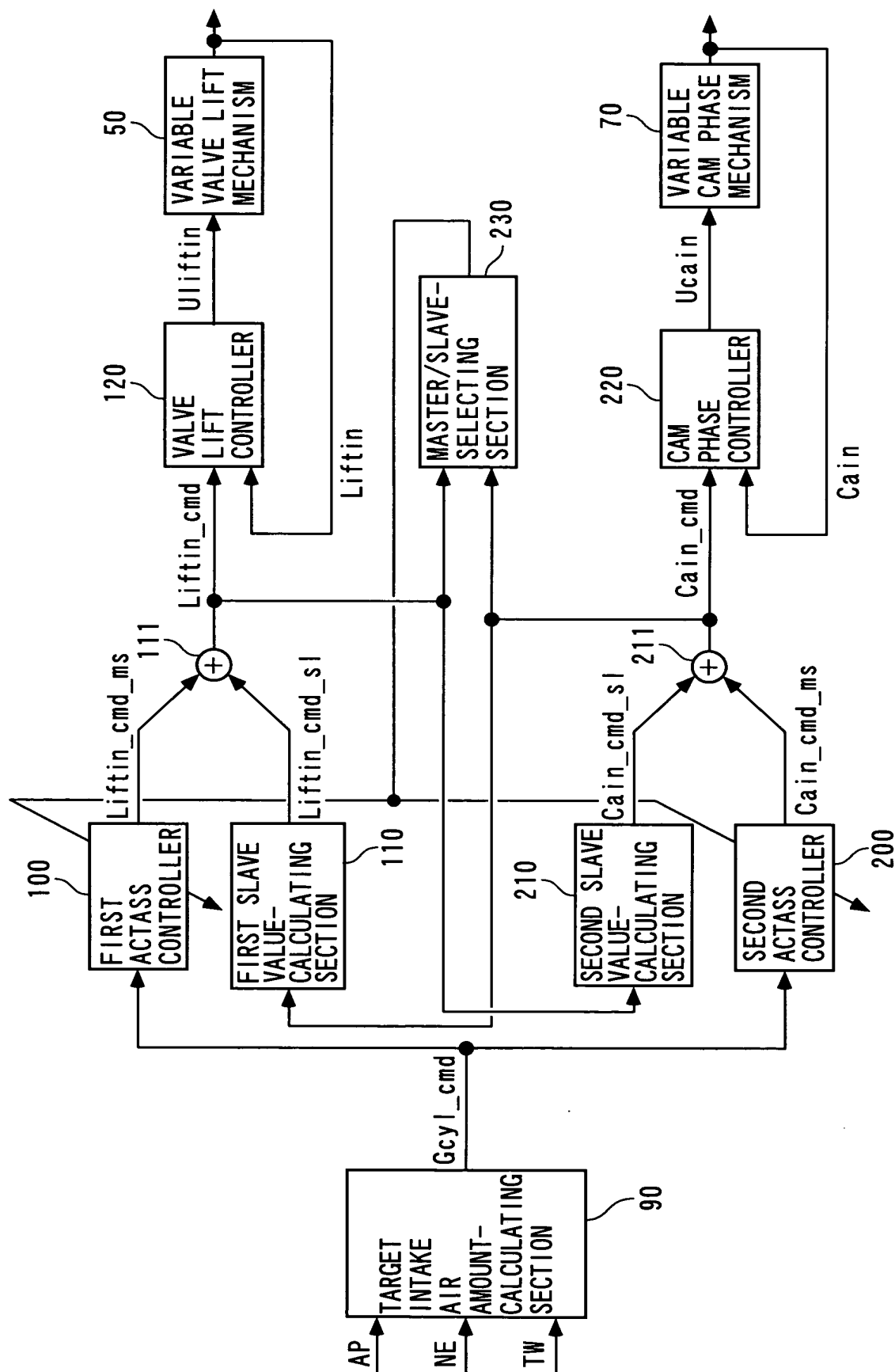
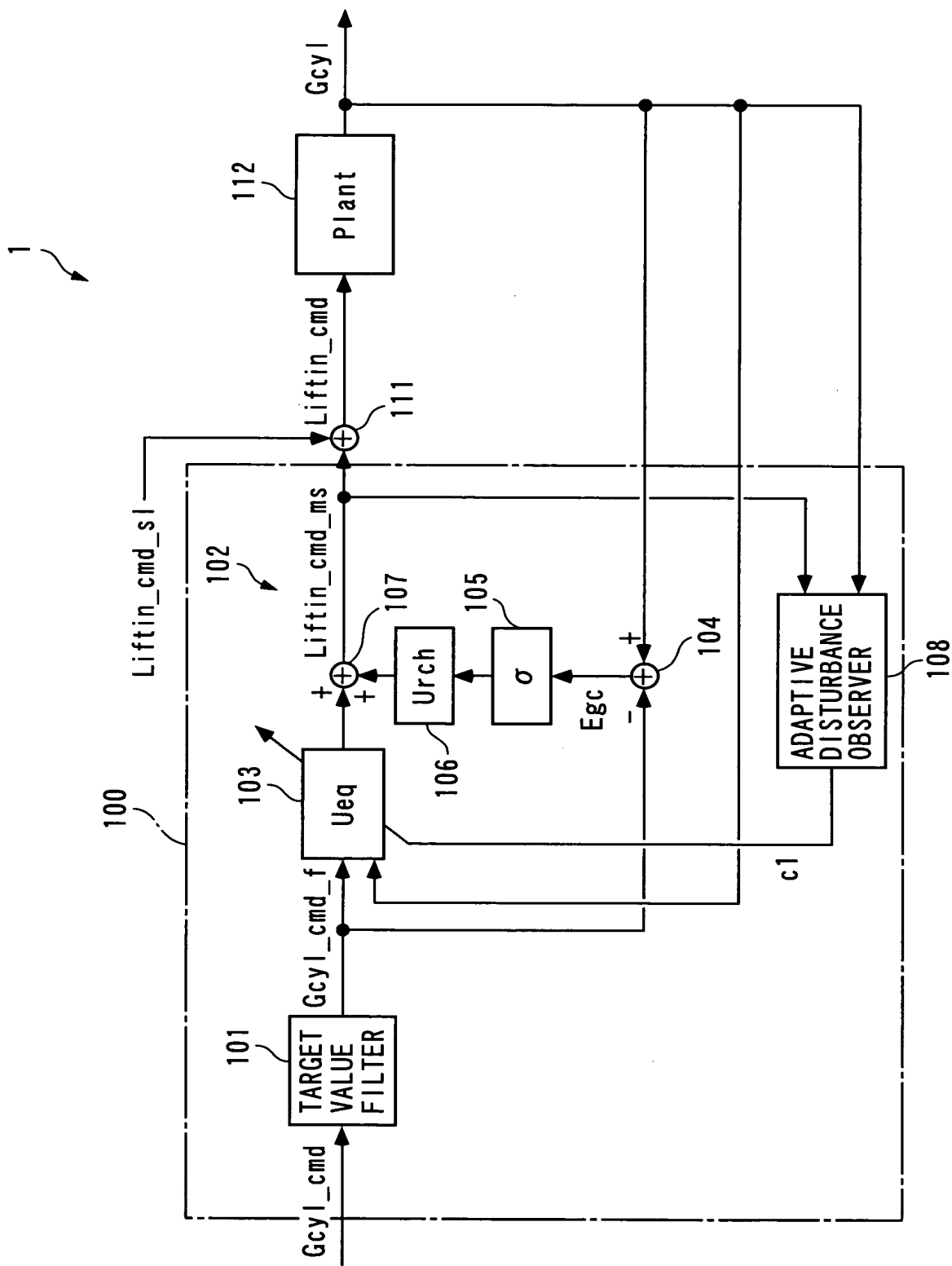


FIG. 18



H 0 3 - 1 7 4 5

(1 , 7 / 4 , 5)

F I G . 1 9

$$G_{cyl}(k) = G_{th}(k) - \frac{VB \cdot [PBA(k) - PBA(k-1)]}{R \cdot TB} \quad \dots\dots (1)$$

$$G_{cyl_cmd_f}(k) = -POLE_f \cdot G_{cyl_cmd_f}(k-1) + (1 + POLE_f) \cdot G_{cyl_cmd}(k) \quad \dots\dots (2)$$

$$Liftin_cmd_ms(k) = U_{eq}(k) + U_{rch}(k) \quad \dots\dots (3)$$

$$U_{eq}(k) = \frac{1}{b_1} \{ (1 - a_1 - POLE) \cdot G_{cyl}(k) + (POLE - a_2) \cdot G_{cyl}(k-1) \\ - b_2 \cdot Liftin_cmd_ms(k-1) - c_1(k) + G_{cyl_cmd_f}(k+1) \\ + (POLE - 1) \cdot G_{cyl_cmd_f}(k) - POLE \cdot G_{cyl_cmd_f}(k-1) \} \quad \dots\dots (4)$$

$$U_{rch}(k) = - \frac{K_{rch}}{b_1} \cdot \sigma(k) \quad \dots\dots (5)$$

$$\sigma(k) = E_{gc}(k) + POLE \cdot E_{gc}(k-1) \quad \dots\dots (6)$$

$$E_{gc}(k) = G_{cyl}(k) - G_{cyl_cmd_f}(k) \quad \dots\dots (7)$$

$$G_{cyl}(k+1) = a_1 \cdot G_{cyl}(k) + a_2 \cdot G_{cyl}(k-1) \\ + b_1 \cdot Liftin_cmd(k) + b_2 \cdot Liftin_cmd(k-1) \quad \dots\dots (8)$$

$$G_{cyl}(k+1) = a_1 \cdot G_{cyl}(k) + a_2 \cdot G_{cyl}(k-1) \\ + b_1 \cdot Liftin_cmd_ms(k) + b_2 \cdot Liftin_cmd_ms(k-1) \quad \dots\dots (9)$$

F I G. 2 0

$$c1(k) = c1(k-1) + \frac{Pdov}{1+Pdov} \cdot e_dov(k) \quad \dots\dots (10)$$

$$e_dov(k) = Gcyl(k) - Gcyl_hat(k) \quad \dots\dots (11)$$

$$Gcyl_hat(k) = \theta(k-1)^T \cdot \zeta(k) \quad \dots\dots (12)$$

$$\theta(k)^T = [a1, a2, b1, b2, c1(k)] \quad \dots\dots (13)$$

$$\zeta(k)^T = [Gcyl(k-1), Gcyl(k-2), Liftin_cmd_ms(k-1), Liftin_cmd_ms(k-2), 1] \quad \dots\dots (14)$$

$$\begin{aligned} c1(k) = & -Krch \cdot \sigma(k) + (1-a1-POLE) \cdot Gcyl(k) + (POLE-a2) \cdot Gcyl(k-1) \\ & -b2 \cdot Liftin_cmd_ms(k-1) + Gcyl_cmd_f(k+1) \\ & + (POLE-1) \cdot Gcyl_cmd_f(k) - POLE \cdot Gcyl_cmd_f(k-1) \quad \dots\dots (15) \end{aligned}$$

F I G . 2 1

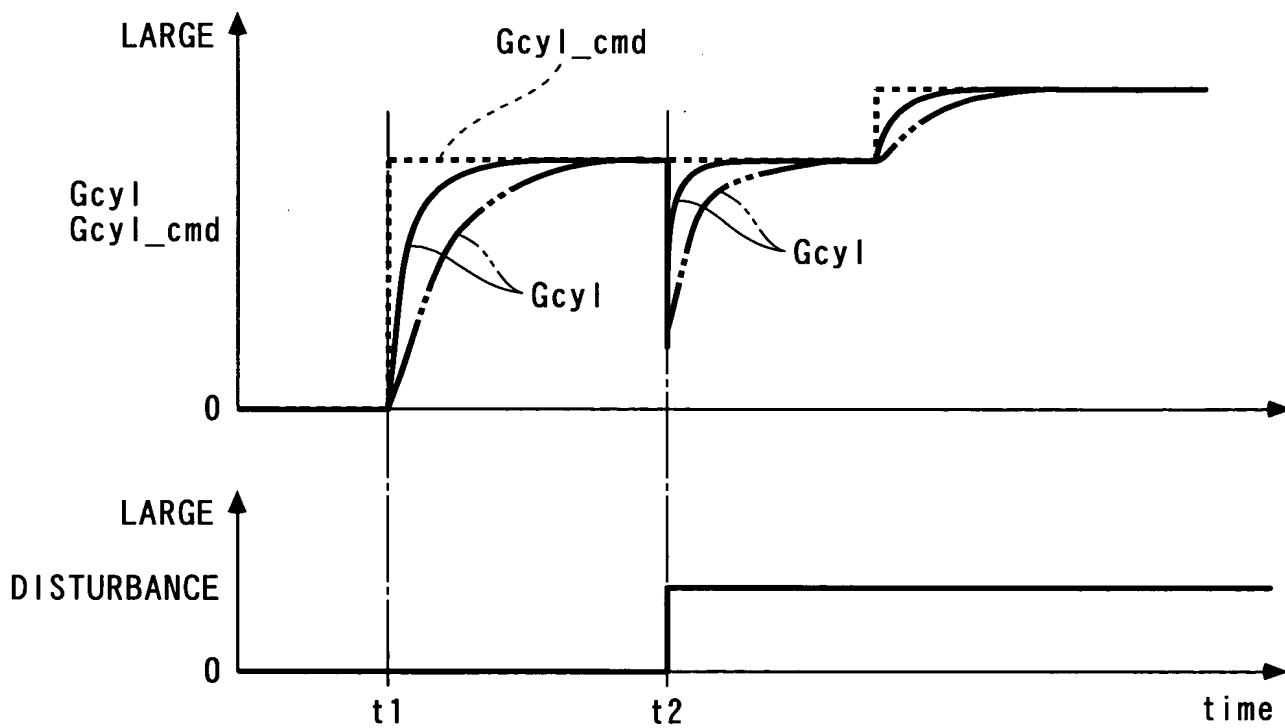
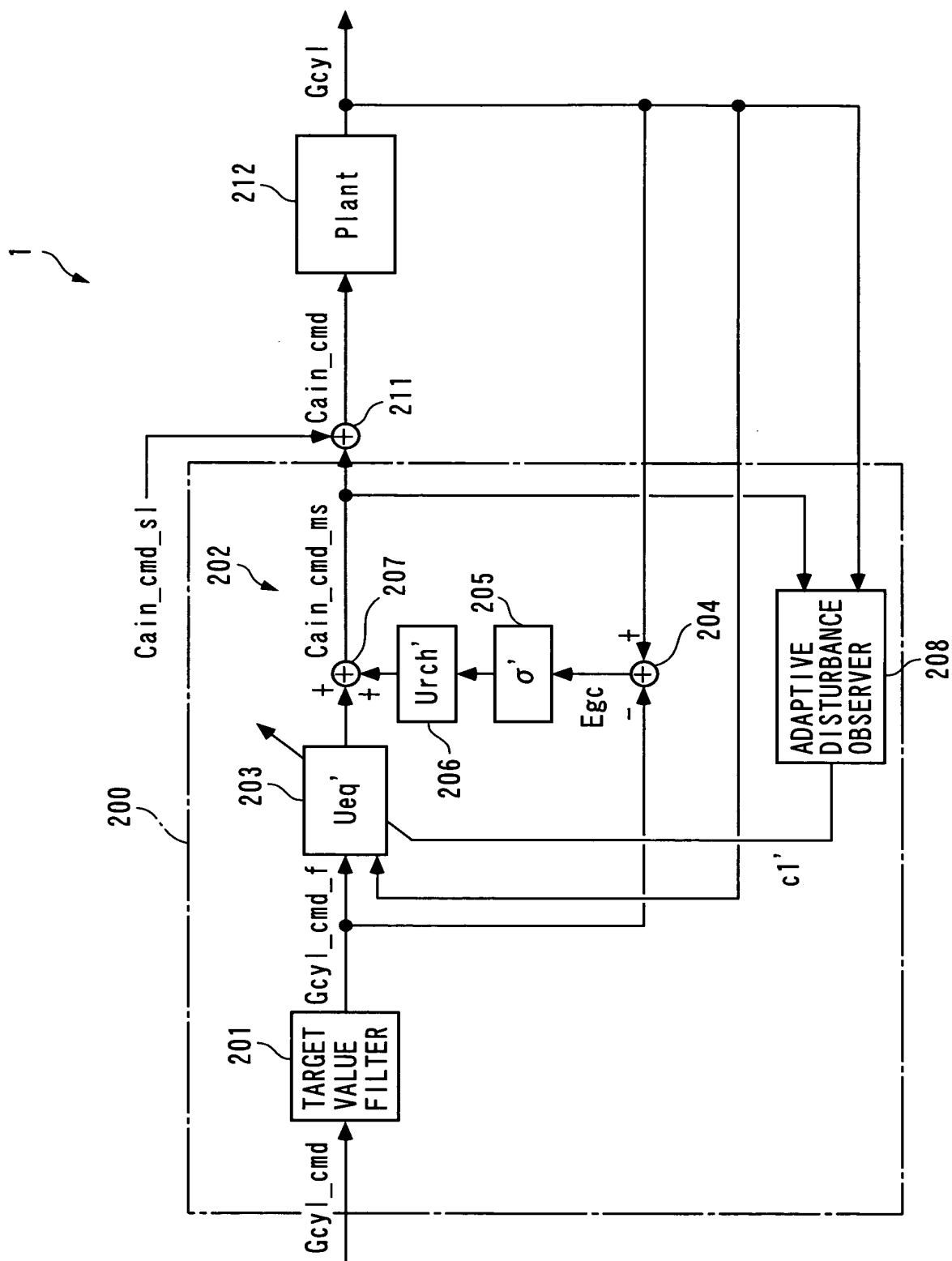


FIG. 22



F I G . 2 3

$$G_{cyl_cmd_f}(k) = -POLE_f \cdot G_{cyl_cmd_f}(k-1) + (1+POLE_f) \cdot G_{cyl_cmd}(k) \quad \dots\dots (16)$$

$$C_{ain_cmd_ms}(k) = U_{eq}'(k) + U_{rch}'(k) \quad \dots\dots (17)$$

$$U_{eq}'(k) = \frac{1}{b1'} \{ (1-a1'-POLE') \cdot G_{cyl}(k) + (POLE'-a2') \cdot G_{cyl}(k-1) \\ - b2' \cdot C_{ain_cmd_ms}(k-1) - c1'(k) + G_{cyl_cmd_f}(k+1) \\ + (POLE'-1) \cdot G_{cyl_cmd_f}(k) - POLE' \cdot G_{cyl_cmd_f}(k-1) \} \quad \dots\dots (18)$$

$$U_{rch}'(k) = - \frac{K_{rch}'}{b1'} \cdot \sigma'(k) \quad \dots\dots (19)$$

$$\sigma'(k) = E_{gc}(k) + POLE' \cdot E_{gc}(k-1) \quad \dots\dots (20)$$

$$E_{gc}(k) = G_{cyl}(k) - G_{cyl_cmd_f}(k) \quad \dots\dots (21)$$

$$G_{cyl}(k+1) = a1' \cdot G_{cyl}(k) + a2' \cdot G_{cyl}(k-1) \\ + b1' \cdot C_{ain_cmd}(k) + b2' \cdot C_{ain_cmd}(k-1) \quad \dots\dots (22)$$

$$G_{cyl}(k+1) = a1' \cdot G_{cyl}(k) + a2' \cdot G_{cyl}(k-1) \\ + b1' \cdot C_{ain_cmd_ms}(k) + b2' \cdot C_{ain_cmd_ms}(k-1) \quad \dots\dots (23)$$

H 0 3 - 1 7 4 5

(2 2 / 4 , 5)

F I G . 2 4

$$c1'(k) = c1'(k-1) + \frac{Pdov'}{1+Pdov'} \cdot e_dov'(k) \quad \dots\dots (24)$$

$$e_dov'(k) = Gcyl(k) - Gcyl_hat'(k) \quad \dots\dots (25)$$

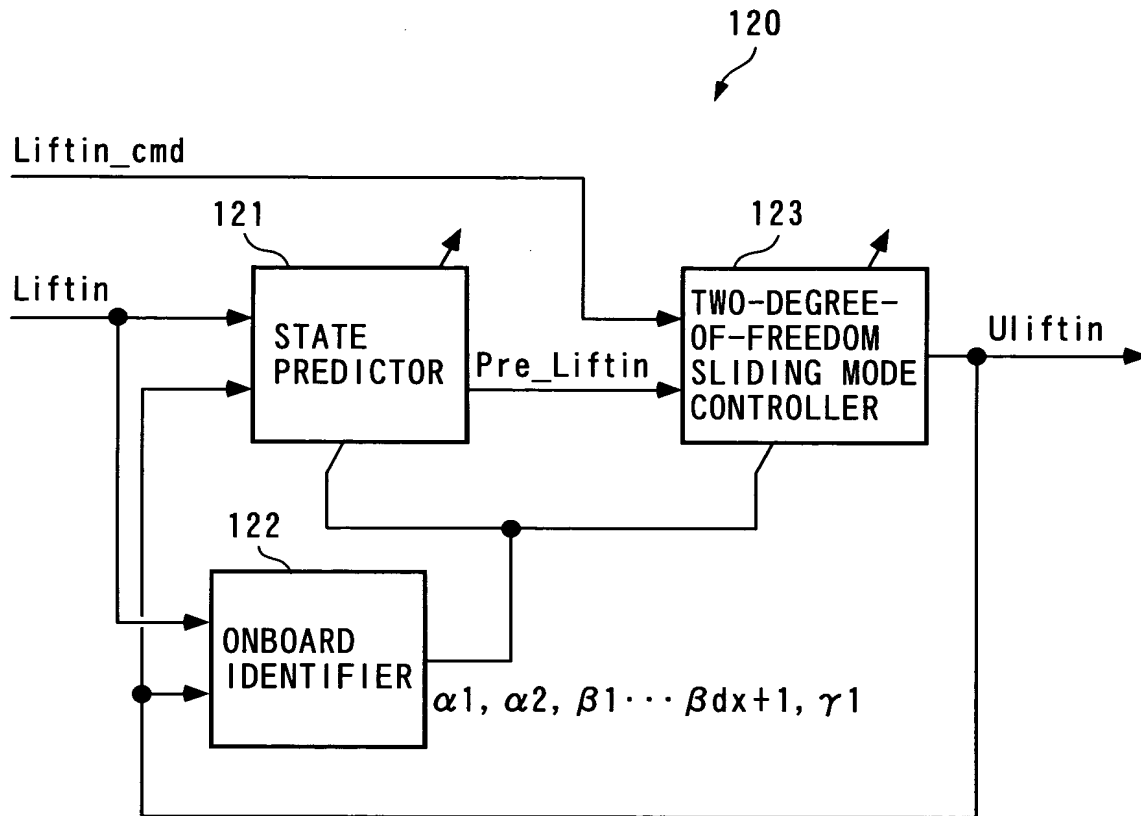
$$Gcyl_hat'(k) = \theta'(k-1)^T \cdot \zeta'(k) \quad \dots\dots (26)$$

$$\theta'(k)^T = [a1', a2', b1', b2', c1'(k)] \quad \dots\dots (27)$$

$$\zeta'(k)^T = [Gcyl(k-1), Gcyl(k-2), Cain_cmd_ms(k-1), Cain_cmd_ms(k-2), 1] \quad \dots\dots (28)$$

$$\begin{aligned} c1'(k) = & -Krch' \cdot \sigma'(k) + (1-a1'-POLE') \cdot Gcyl(k) + (POLE'-a2') \cdot Gcyl(k-1) \\ & -b2' \cdot Cain_cmd_ms(k-1) + Gcyl_cmd_f(k+1) \\ & + (POLE'-1) \cdot Gcyl_cmd_f(k) - POLE' \cdot Gcyl_cmd_f(k-1) \quad \dots\dots (29) \end{aligned}$$

F I G . 2 5



F I G. 2 6

$$\begin{aligned} \text{Liftin}(n+1) = & a1'' \cdot \text{Liftin}(n) + a2'' \cdot \text{Liftin}(n-1) \\ & + b1'' \cdot \text{Uliftin}(n-dx) + b2'' \cdot \text{Uliftin}(n-dx-1) \end{aligned} \quad \dots (30)$$

$$A = \begin{bmatrix} a1'' & a2'' \\ 1 & 0 \end{bmatrix} \quad \dots (31)$$

$$B = \begin{bmatrix} b1'' & b2'' \\ 0 & 0 \end{bmatrix} \quad \dots (32)$$

$$\begin{aligned} \text{Liftin}(n+dx) = & \alpha 1(n) \cdot \text{Liftin}(n) + \alpha 2(n) \cdot \text{Liftin}(n-1) \\ & + \beta 1(n) \cdot \text{Uliftin}(n-1) + \beta 2(n) \cdot \text{Uliftin}(n-2) \\ & + \dots + \beta dx(n) \cdot \text{Uliftin}(n-dx) \\ & + \beta dx+1(n) \cdot \text{Uliftin}(n-dx-1) \end{aligned} \quad \dots (33)$$

$$\begin{aligned} \alpha 1 : & \text{1ST ROW-1ST COLUMN COMPONENT OF } A^{dx} \\ \alpha 2 : & \text{1ST ROW-2ND COLUMN COMPONENT OF } A^{dx} \\ \beta_j : & \begin{cases} \text{1ST ROW-1ST COLUMN COMPONENT (j=1) OF } A^{j-1} B \\ \text{1ST ROW-1ST COLUMN COMPONENT OF } A^{j-1} B \\ \text{+1ST ROW-2ND COLUMN COMPONENT (j=2} \sim dx) \text{ OF } A^{j-2} B \\ \text{1ST ROW-2ND COLUMN COMPONENT (j=dx+1) OF } A^{j-2} B \end{cases} \end{aligned}$$

(j=1~dx+1)

$$\begin{aligned} \text{Pre_Liftin}(n) = & \alpha 1(n) \cdot \text{Liftin}(n) + \alpha 2(n) \cdot \text{Liftin}(n-1) \\ & + \beta 1(n) \cdot \text{Uliftin}(n-1) + \beta 2(n) \cdot \text{Uliftin}(n-2) \\ & + \dots + \beta dx(n) \cdot \text{Uliftin}(n-dx) \\ & + \beta dx+1(n) \cdot \text{Uliftin}(n-dx-1) \\ & + \gamma 1(n) \end{aligned} \quad \dots (34)$$

F I G . 2 7

$$\theta_x(n) = \theta_x(n-1) + KP(n) \cdot ide(n) \quad \dots\dots (35)$$

$$KP(n) = \frac{P(n) \cdot \zeta_x(n)}{1 + \zeta_x(n)^T \cdot P(n) \cdot \zeta_x(n)} \quad \dots\dots (36)$$

$$P(n+1) = \frac{1}{\lambda_1} \left[I - \frac{\lambda_2 \cdot P(n) \cdot \zeta_x(n) \cdot \zeta_x(n)^T}{\lambda_1 + \lambda_2 \cdot \zeta_x(n)^T \cdot P(n) \cdot \zeta_x(n)} \right] \cdot P(n) \quad \dots\dots (37)$$

I : UNIT MATRIX OF ORDER $dx+2$
 λ_1, λ_2 : WEIGHTING PARAMETER

$$\begin{aligned} ide(n) &= Liftin_hat(n) - Liftin(n) \\ &= \theta_x(n-1)^T \cdot \zeta_x(n) - Liftin(n) \end{aligned} \quad \dots\dots (38)$$

$$\theta_x(n)^T = [\alpha_1(n), \alpha_2(n), \beta_1(n), \beta_2(n), \dots, \beta_{dx+1}(n), \gamma_1(n)] \quad \dots\dots (39)$$

$$\begin{aligned} \zeta_x(n)^T &= [Liftin(n-dx), Liftin(n-dx-1), Uliftin(n-dx-1), \\ &\quad Uliftin(n-dx-2), \dots\dots, Uliftin(n-2dx-1), 1] \end{aligned} \quad \dots\dots (40)$$

F I G. 2 8

$$\begin{aligned} \text{Liftin_cmd_f}(n) = & -\text{POLE_f}'' \cdot \text{Liftin_cmd_f}(n-1) \\ & + (1 + \text{POLE_f}'') \cdot \text{Liftin_cmd}(n) \end{aligned} \quad \dots\dots (41)$$

$$\text{Uliftin}(n) = \text{Ueq}''(n) + \text{Urch}''(n) \quad \dots\dots (42)$$

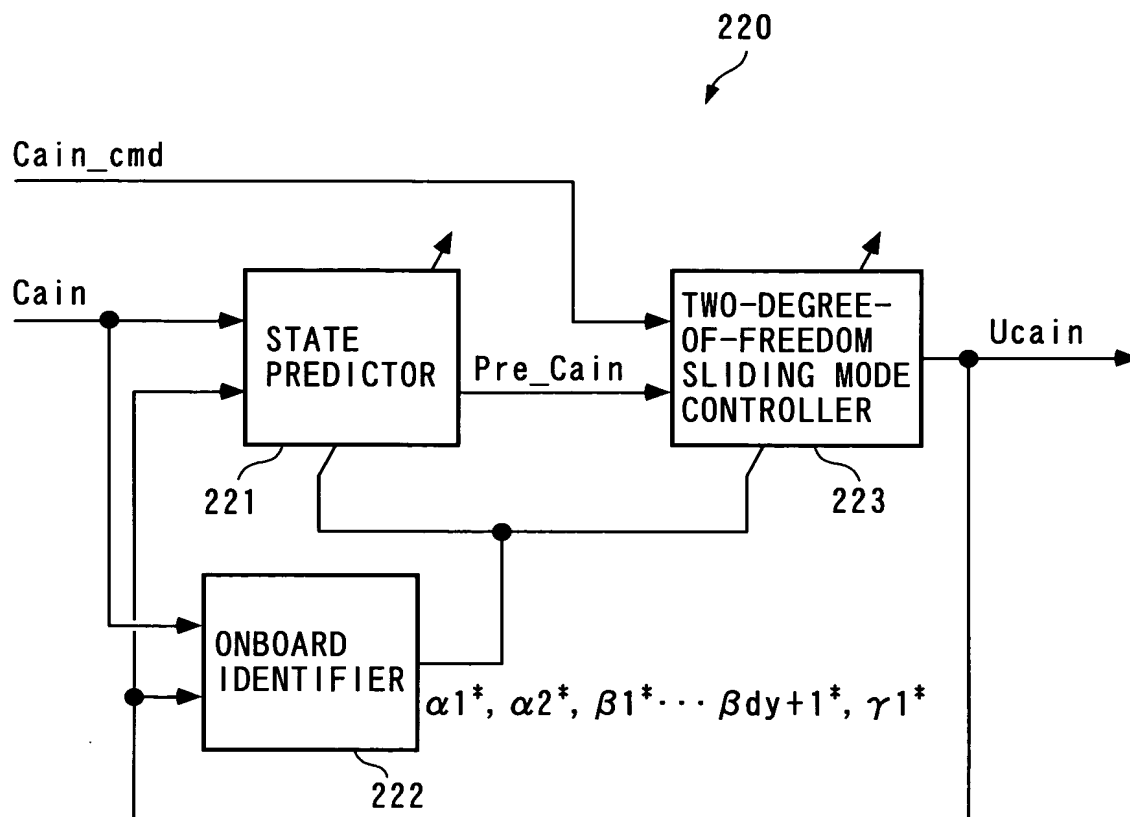
$$\begin{aligned} \text{Ueq}''(n) = & \frac{1}{\beta_1(n)} \{ -\text{POLE}'' \cdot \text{Pre_Liftin}(n) + \text{Pre_Liftin}(n-1) \\ & + \text{POLE}'' \cdot \text{Pre_Liftin}(n-2) - \alpha_1(n) \cdot \text{Pre_Liftin}(n-dx+1) \\ & - \alpha_2(n) \cdot \text{Pre_Liftin}(n-dx) - \beta_2(n) \cdot \text{Uliftin}(n-1) \\ & - \dots - \beta_{dx}(n) \cdot \text{Uliftin}(n-dx+1) \\ & - \beta_{dx+1}(n) \cdot \text{Uliftin}(n-dx) - \gamma_1(n) \\ & + \text{Liftin_cmd_f}(n) + \text{POLE}'' \cdot \text{Liftin_cmd_f}(n-1) \\ & - \text{Liftin_cmd_f}(n-1) - \text{POLE}'' \cdot \text{Liftin_cmd_f}(n-2) \} \end{aligned} \quad \dots\dots (43)$$

$$\text{Urch}''(n) = - \frac{\text{Krch}''}{\beta_1(n)} \cdot \text{Pre_}\sigma''(n) \quad \dots\dots (44)$$

$$\text{Pre_}\sigma''(n) = \text{Pre_E_lf}(n) + \text{POLE}'' \cdot \text{Pre_E_lf}(n-1) \quad \dots\dots (45)$$

$$\text{Pre_E_lf}(n) = \text{Pre_Liftin}(n) - \text{Liftin_cmd_f}(n) \quad \dots\dots (46)$$

F I G. 2 9



F I G. 3 0

$$\begin{aligned} \text{Cain}(n+1) = & a1^* \cdot \text{Cain}(n) + a2^* \cdot \text{Cain}(n-1) \\ & + b1^* \cdot \text{Ucain}(n-dy) + b2^* \cdot \text{Ucain}(n-dy-1) \end{aligned} \quad \dots\dots (47)$$

$$Ay = \begin{bmatrix} a1^* & a2^* \\ 1 & 0 \end{bmatrix} \quad \dots\dots (48)$$

$$By = \begin{bmatrix} b1^* & b2^* \\ 0 & 0 \end{bmatrix} \quad \dots\dots (49)$$

$$\begin{aligned} \text{Cain}(n+dy) = & \alpha 1^*(n) \cdot \text{Cain}(n) + \alpha 2^*(n) \cdot \text{Cain}(n-1) \\ & + \beta 1^*(n) \cdot \text{Ucain}(n-1) + \beta 2^*(n) \cdot \text{Ucain}(n-2) \\ & + \dots\dots + \beta dy^*(n) \cdot \text{Ucain}(n-dy) \\ & + \beta dy+1^*(n) \cdot \text{Ucain}(n-dy-1) \end{aligned} \quad \dots\dots (50)$$

$$\begin{aligned} \alpha 1^* : & \text{1ST ROW-1ST COLUMN COMPONENT OF } Ay^{dy} \\ \alpha 2^* : & \text{1ST ROW-2ND COLUMN COMPONENT OF } Ay^{dy} \\ \beta j^* : & \begin{cases} \text{1ST ROW-1ST COLUMN COMPONENT (j=1) OF } Ay^{j-1} By \\ \text{1ST ROW-1ST COLUMN COMPONENT OF } Ay^{j-1} By \\ \text{+1ST ROW-2ND COLUMN COMPONENT (j=2} \sim dy) \text{ OF } Ay^{j-2} By \\ \text{1ST ROW-2ND COLUMN COMPONENT (j=dy+1) OF } Ay^{j-2} By \end{cases} \\ (j=1 \sim dy+1) & \end{aligned}$$

$$\begin{aligned} \text{Pre_Cain}(n) = & \alpha 1^*(n) \cdot \text{Cain}(n) + \alpha 2^*(n) \cdot \text{Cain}(n-1) \\ & + \beta 1^*(n) \cdot \text{Ucain}(n-1) + \beta 2^*(n) \cdot \text{Ucain}(n-2) \\ & + \dots\dots + \beta dy^*(n) \cdot \text{Ucain}(n-dy) \\ & + \beta dy+1^*(n) \cdot \text{Ucain}(n-dy-1) \\ & + \gamma 1^*(n) \end{aligned} \quad \dots\dots (51)$$

F I G . 3 1

$$\theta^*(n) = \theta^*(n-1) + KP^*(n) \cdot ide^*(n) \quad \dots\dots (52)$$

$$KP^*(n) = \frac{P^*(n) \cdot \zeta^*(n)}{1 + \zeta^*(n)^T \cdot P^*(n) \cdot \zeta^*(n)} \quad \dots\dots (53)$$

$$P^*(n+1) = \frac{1}{\lambda 1^*} \left[I - \frac{\lambda 2^* \cdot P^*(n) \cdot \zeta^*(n) \cdot \zeta^*(n)^T}{\lambda 1^* + \lambda 2^* \cdot \zeta^*(n)^T \cdot P^*(n) \cdot \zeta^*(n)} \right] \cdot P^*(n) \quad \dots\dots (54)$$

I : UNIT MATRIX OF ORDER $dy+2$
 $\lambda 1^*, \lambda 2^*$: WEIGHTING PARAMETER

$$\begin{aligned} ide^*(n) &= Cain_hat(n) - Cain(n) \\ &= \theta^*(n-1)^T \cdot \zeta^*(n) - Cain(n) \end{aligned} \quad \dots\dots (55)$$

$$\theta^*(n)^T = [\alpha 1^*(n), \alpha 2^*(n), \beta 1^*(n), \beta 2^*(n), \dots, \beta dy+1^*(n), \gamma 1^*(n)] \quad \dots\dots (56)$$

$$\zeta^*(n)^T = [Cain(n-dy), Cain(n-dy-1), Cain(n-dy-2), \dots, Cain(n-2dy-1), 1] \quad \dots\dots (57)$$

F I G. 3 2

$$\text{Cain_cmd_f}(n) = -\text{POLE_f}^* \cdot \text{Cain_cmd_f}(n-1) + (1 + \text{POLE_f}^*) \cdot \text{Cain_cmd}(n) \quad \dots\dots (58)$$

$$\text{Ucain}(n) = \text{Ueq}^*(n) + \text{Urch}^*(n) \quad \dots\dots (59)$$

$$\begin{aligned} \text{Ueq}^*(n) = \frac{1}{\beta 1^*(n)} \{ & -\text{POLE}^* \cdot \text{Pre_Cain}(n) + \text{Pre_Cain}(n-1) \\ & + \text{POLE}^* \cdot \text{Pre_Cain}(n-2) - \alpha 1^*(n) \cdot \text{Pre_Cain}(n-dy+1) \\ & - \alpha 2^*(n) \cdot \text{Pre_Cain}(n-dy) - \beta 2^*(n) \cdot \text{Ucain}(n-1) \\ & - \dots - \beta dy^*(n) \cdot \text{Ucain}(n-dy+1) \\ & - \beta dy+1^*(n) \cdot \text{Ucain}(n-dy) - \gamma 1^*(n) \\ & + \text{Cain_cmd_f}(n) + \text{POLE}^* \cdot \text{Cain_cmd_f}(n-1) \\ & - \text{Cain_cmd_f}(n-1) - \text{POLE}^* \cdot \text{Cain_cmd_f}(n-2) \} \quad \dots\dots (60) \end{aligned}$$

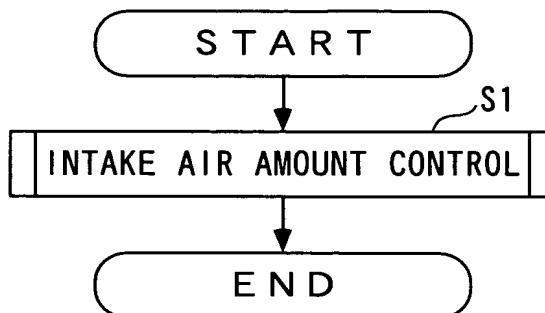
$$\text{Urch}^*(n) = -\frac{\text{Krch}^*}{\beta 1^*(n)} \cdot \text{Pre_}\sigma^*(n) \quad \dots\dots (61)$$

$$\text{Pre_}\sigma^*(n) = \text{Pre_E_ca}^*(n) + \text{POLE}^* \cdot \text{Pre_E_ca}^*(n-1) \quad \dots\dots (62)$$

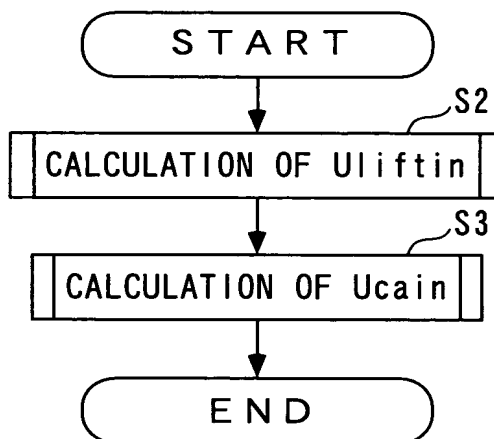
$$\text{Pre_E_ca}^*(n) = \text{Pre_Cain}(n) - \text{Cain_cmd_f}(n) \quad \dots\dots (63)$$

F I G . 3 3

(a)



(b)



(c)

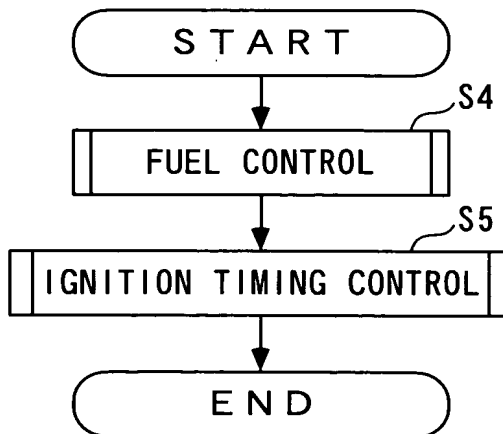
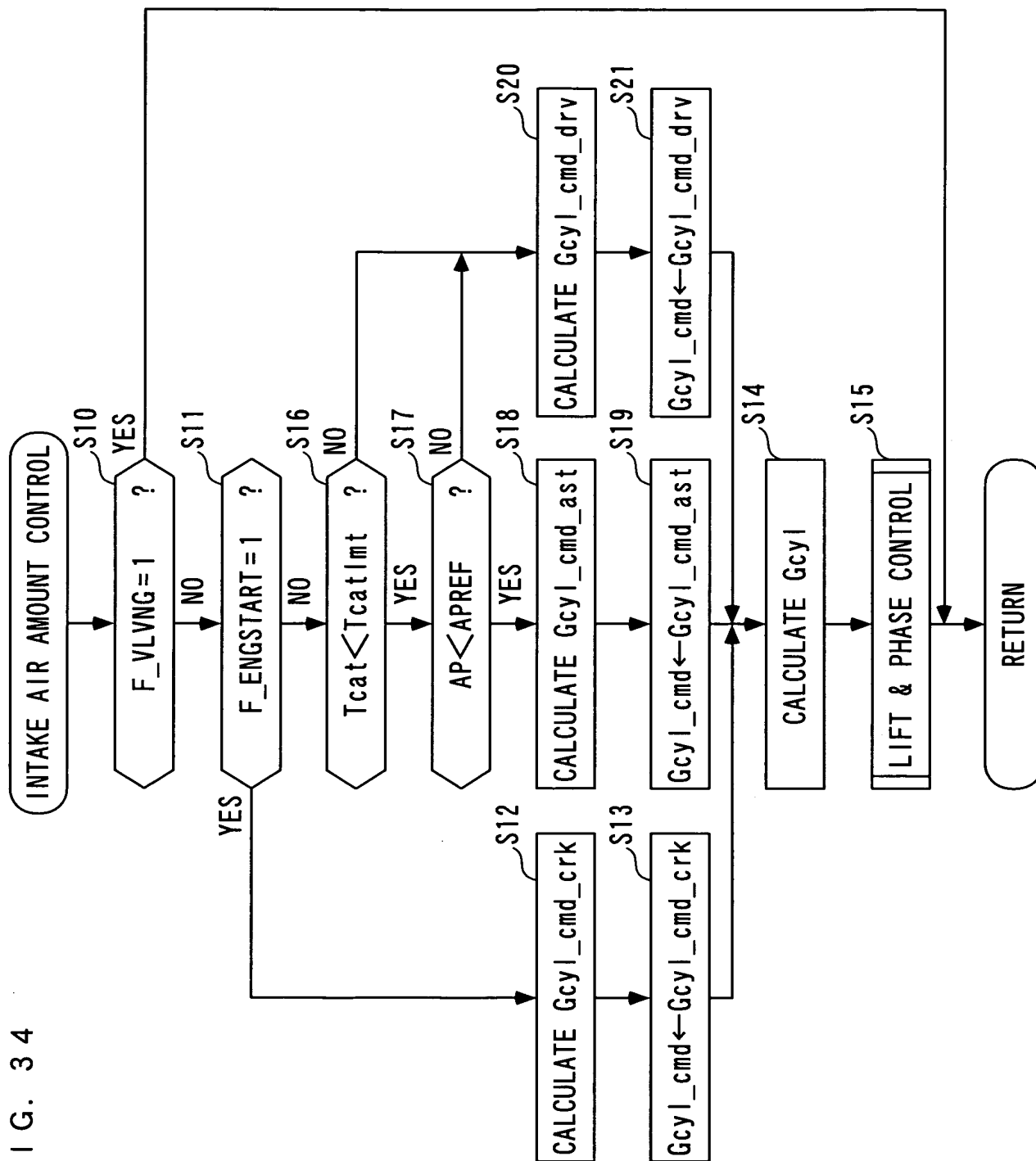
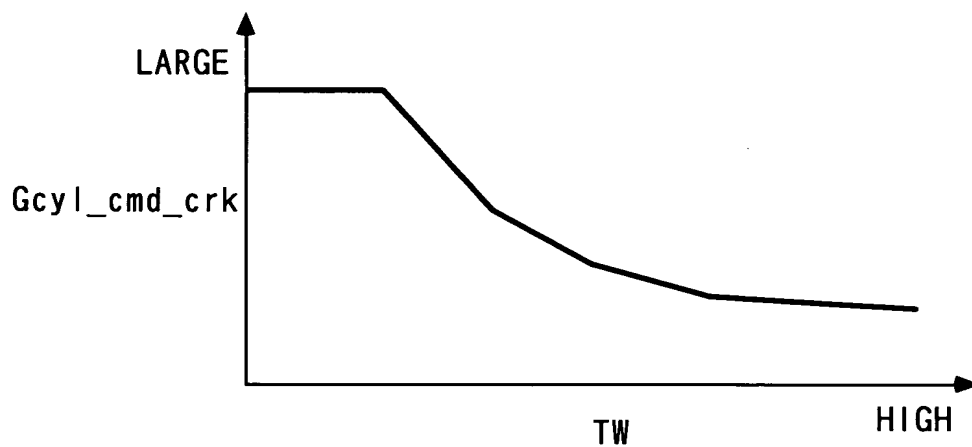


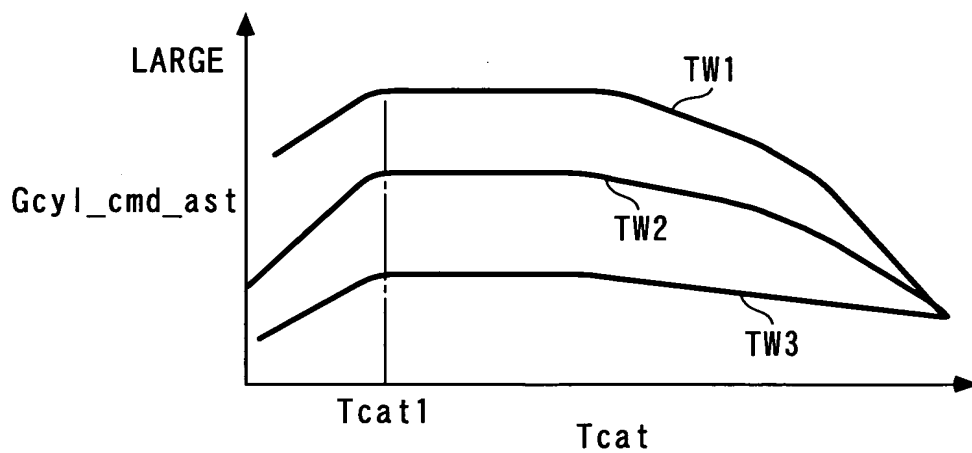
FIG. 34



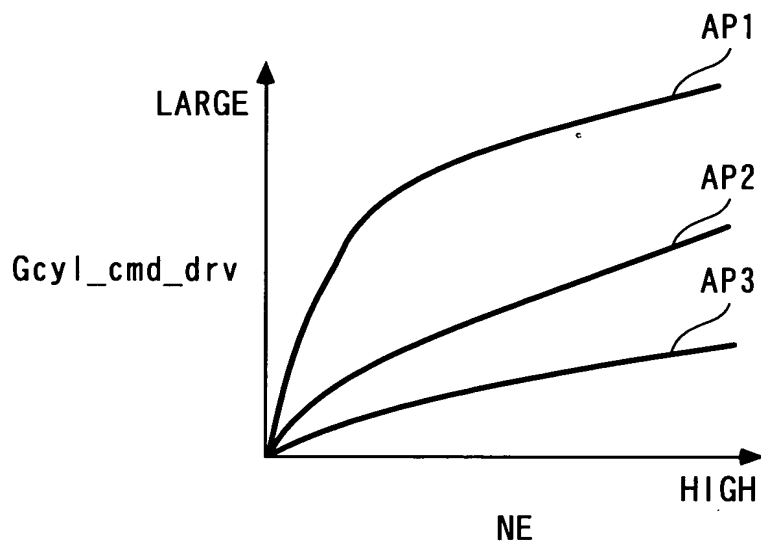
F I G. 3 5



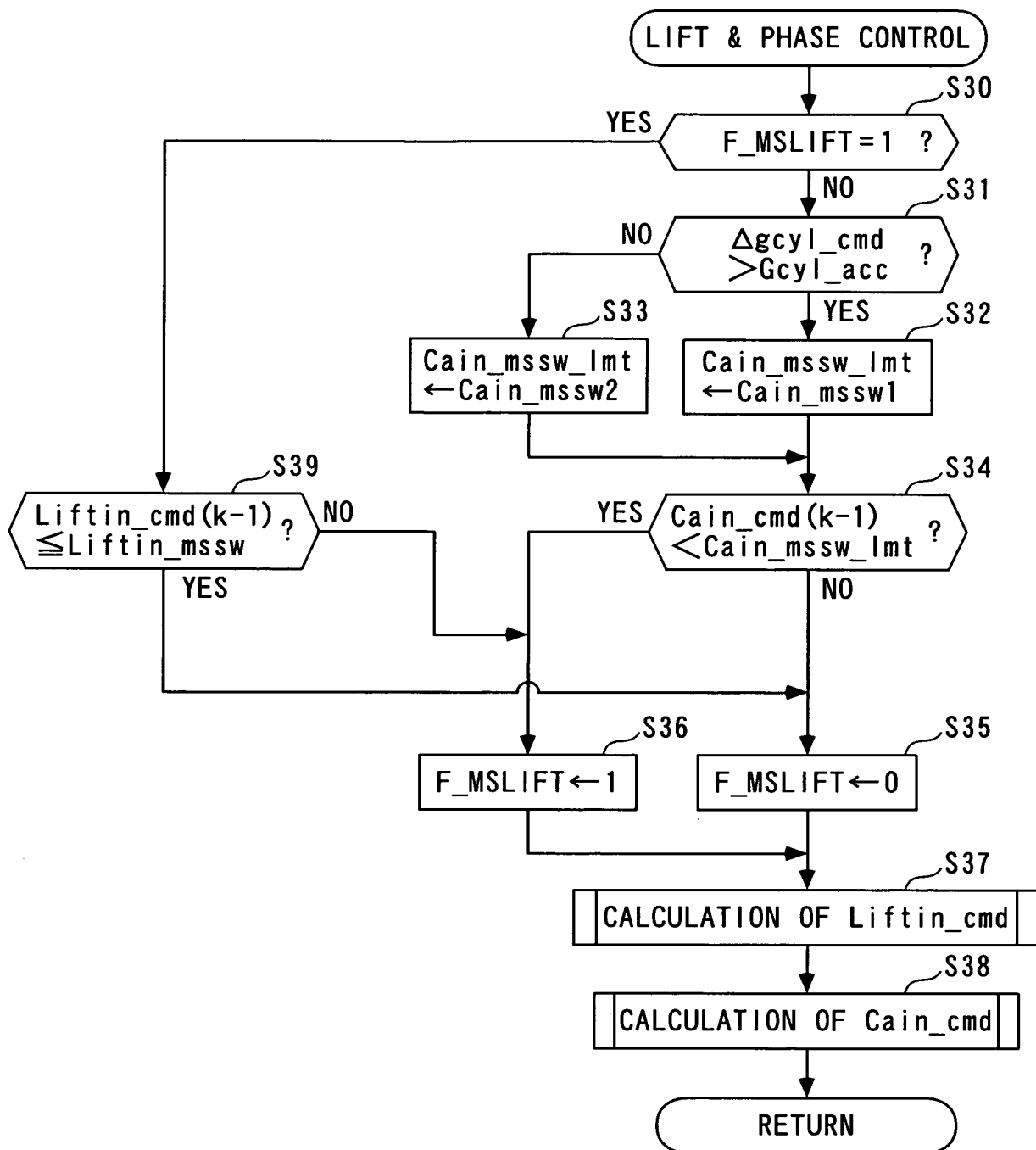
F I G. 3 6



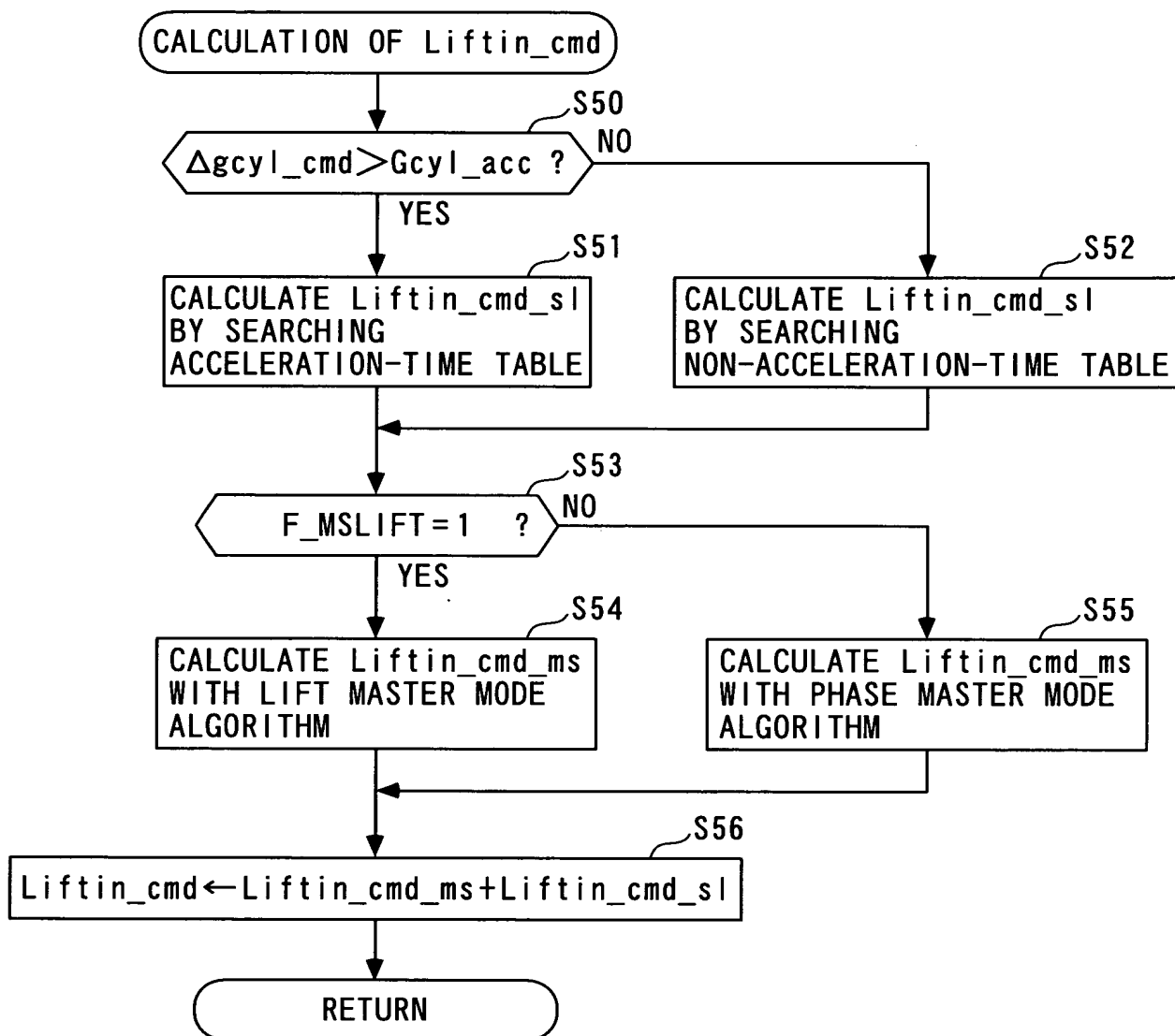
F I G . 3 7



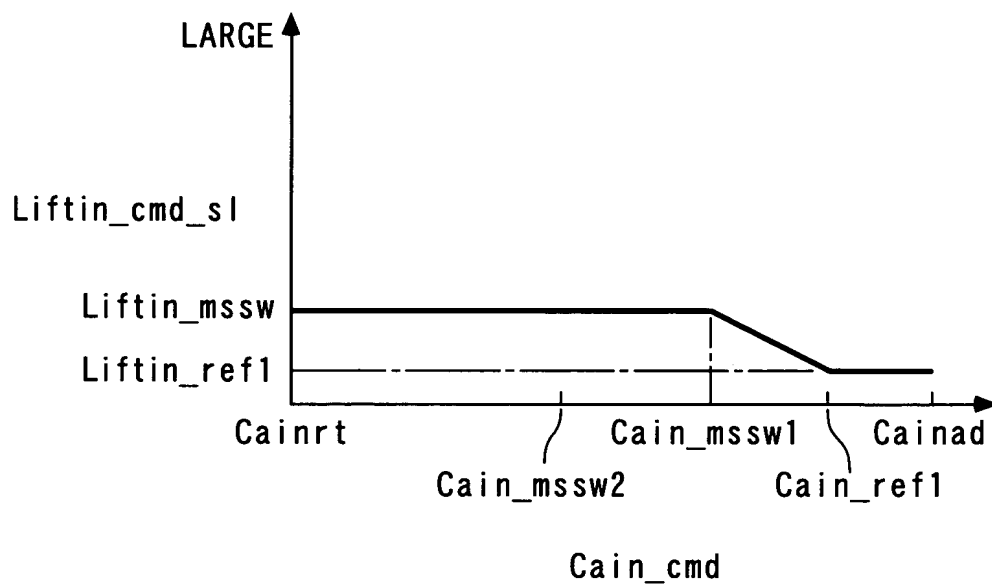
F I G. 3 8



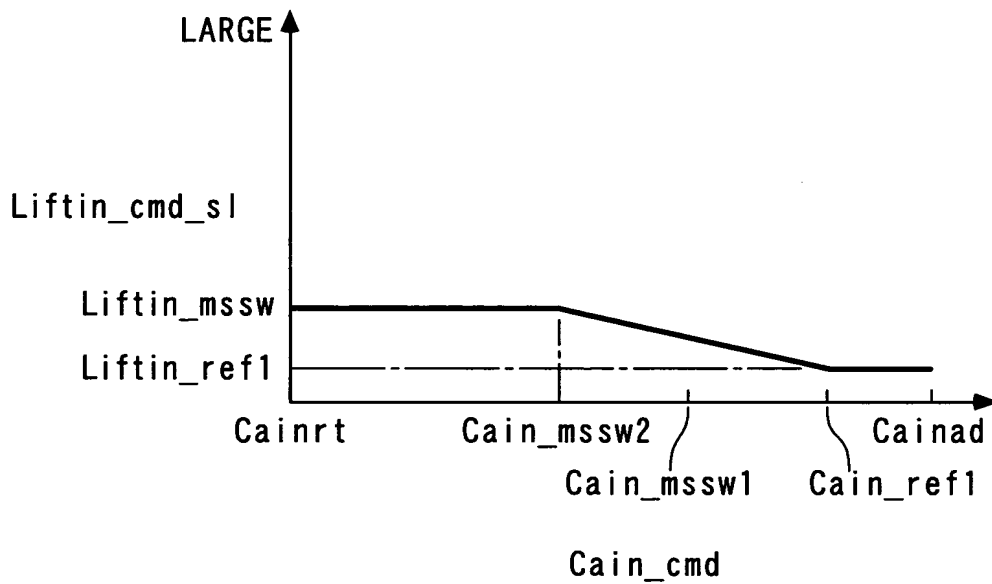
F I G . 3 9



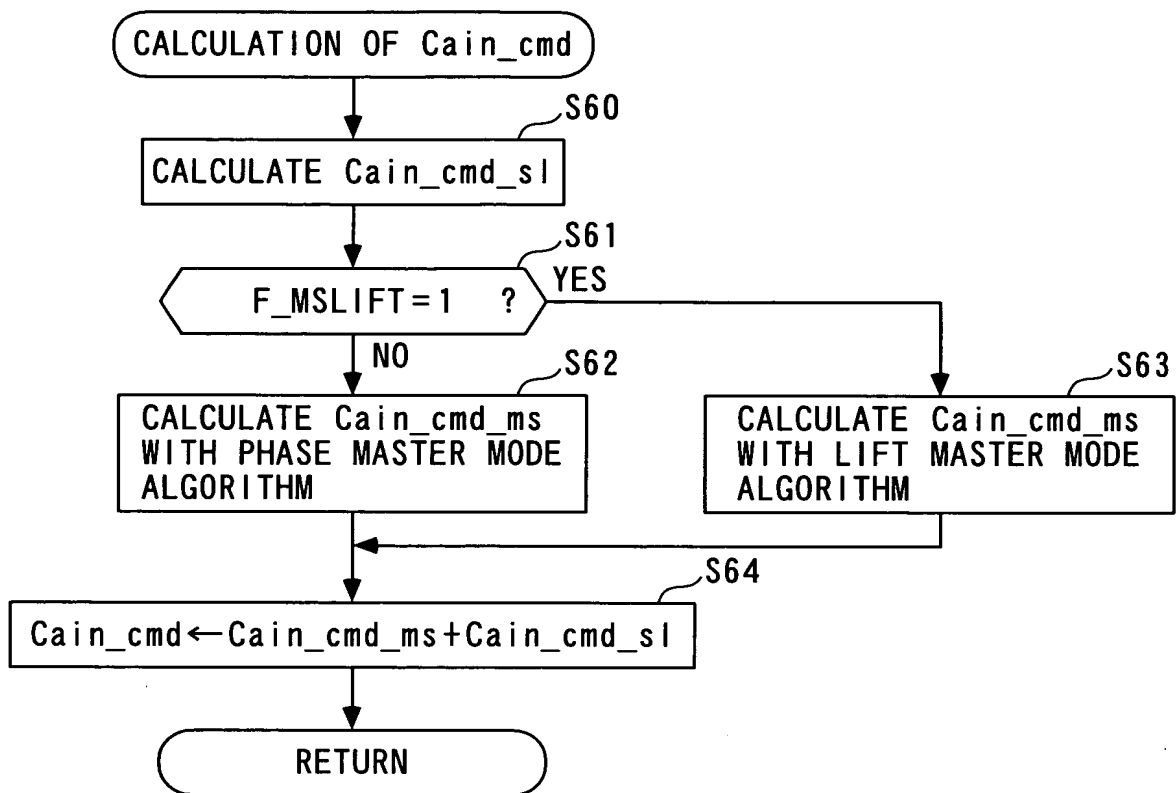
F I G . 4 0



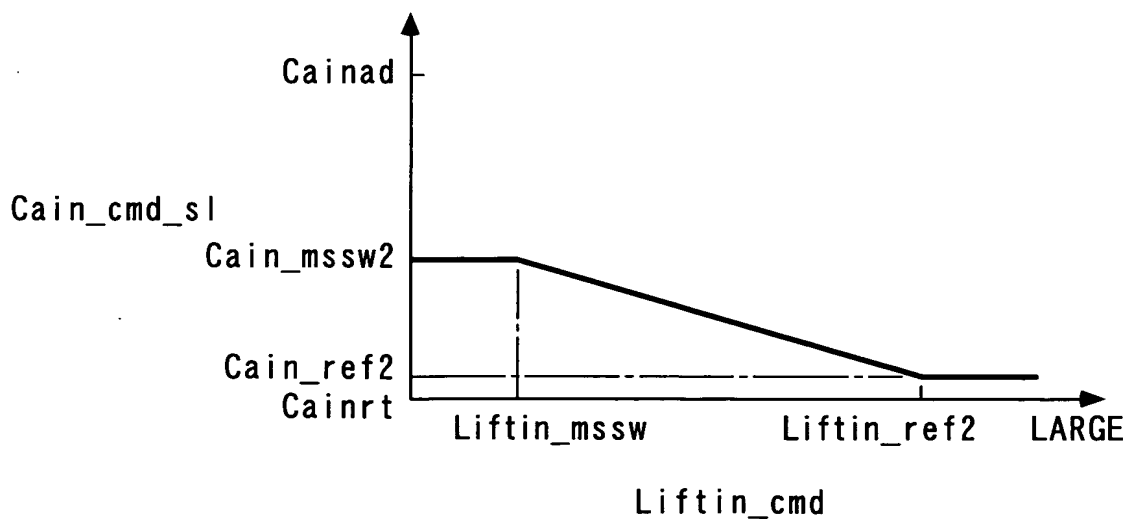
F I G . 4 1



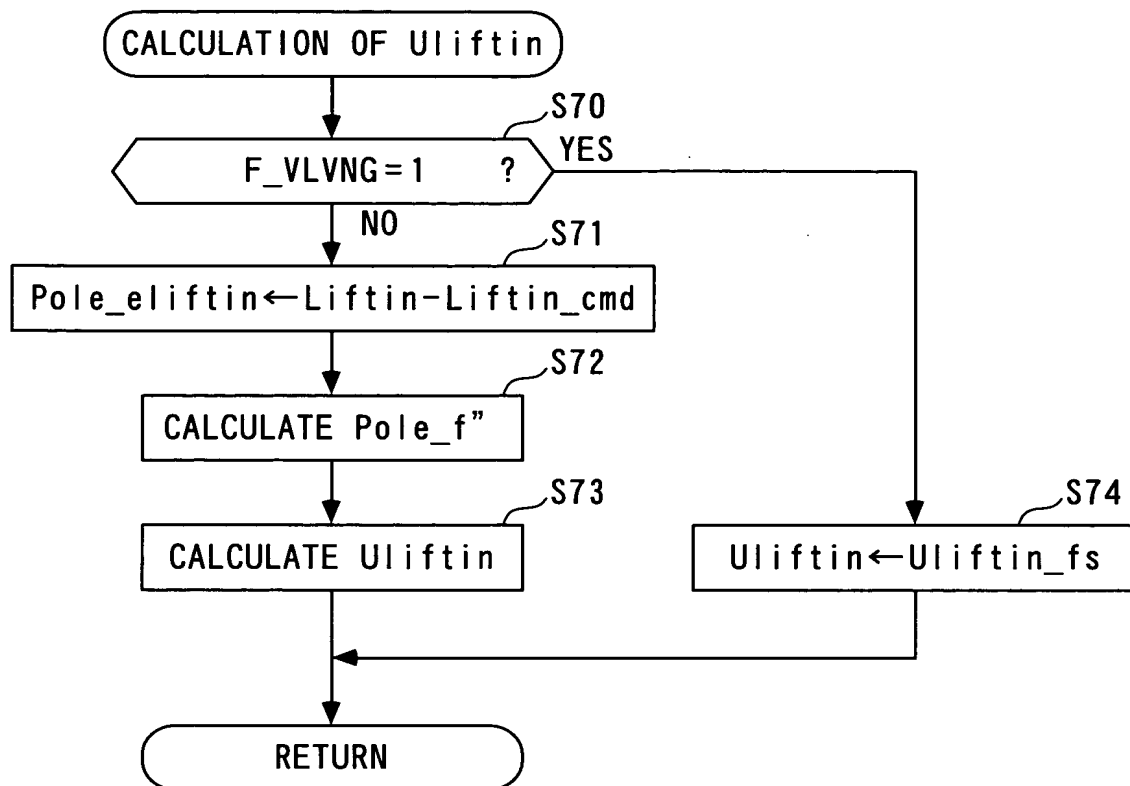
F I G. 4 2



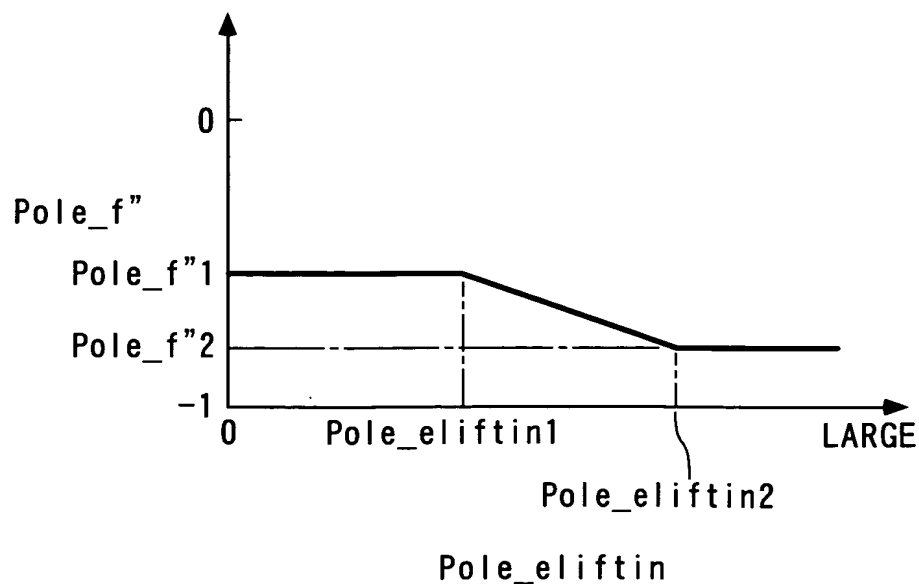
F I G. 4 3



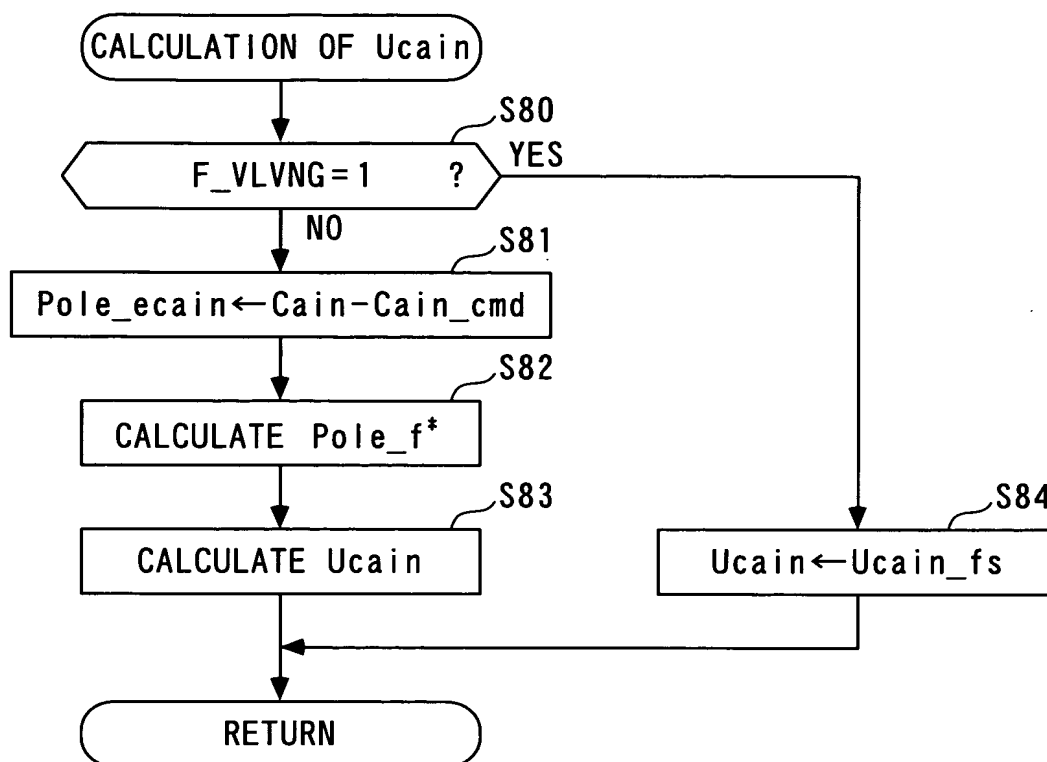
F I G. 4 4



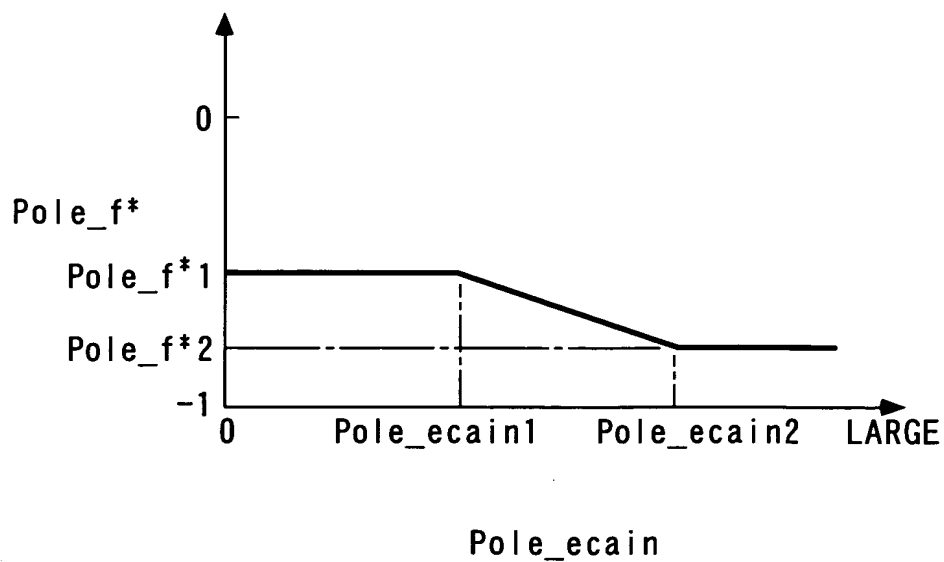
F I G. 4 5



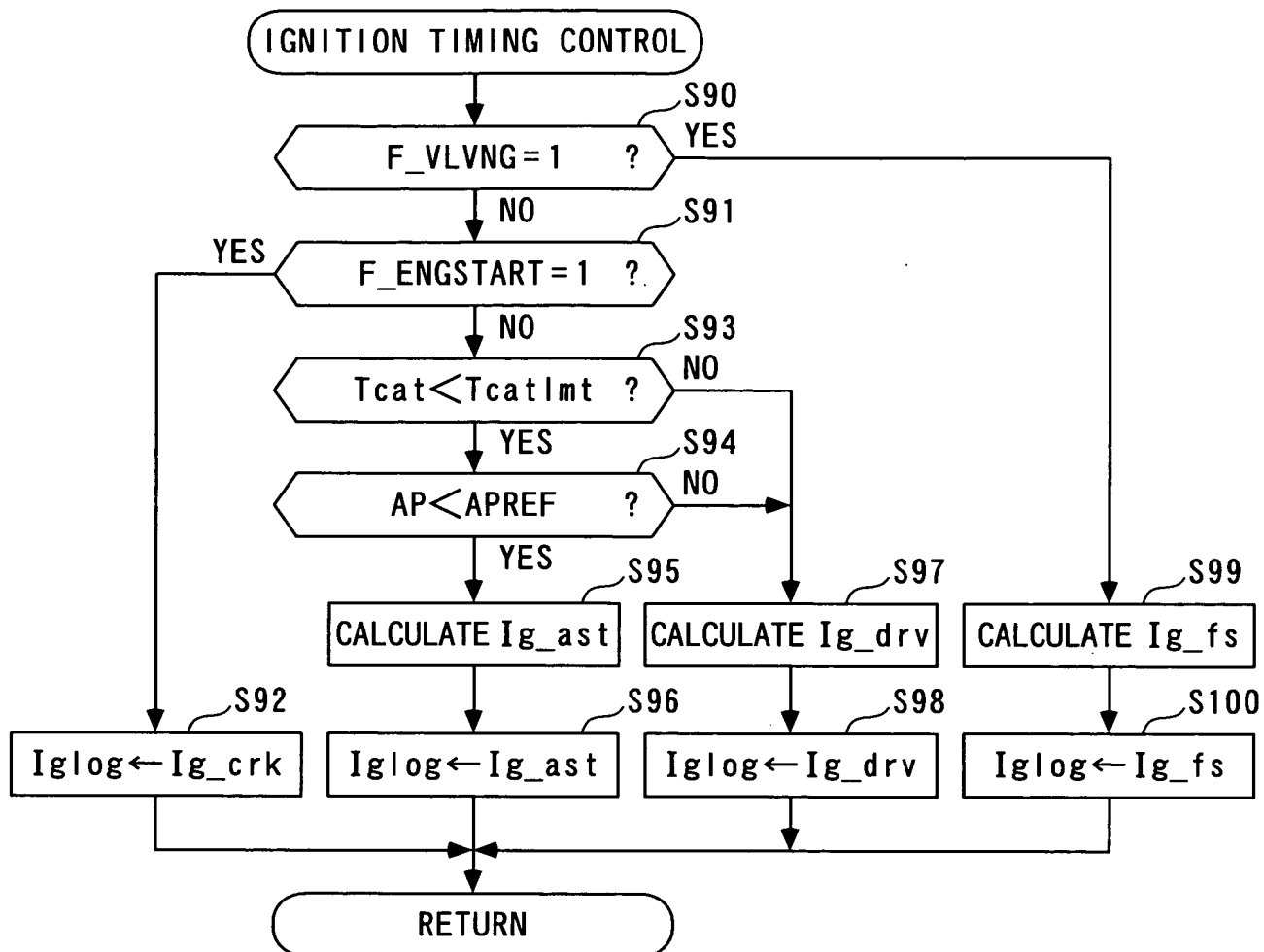
F I G. 4 6



F I G. 4 7



F I G. 4 8



F I G. 4 9

$$I g_{ast} = I g_{ast_base} - K r c h^{\#} \cdot \sigma^{\#}(m) - K a d p^{\#} \sum_{i=0}^m \cdot \sigma^{\#}(i) \quad \dots\dots (64)$$

$$\sigma^{\#}(m) = E n a s t(m) + P O L E^{\#} \cdot E n a s t(m-1) \quad \dots\dots (65)$$

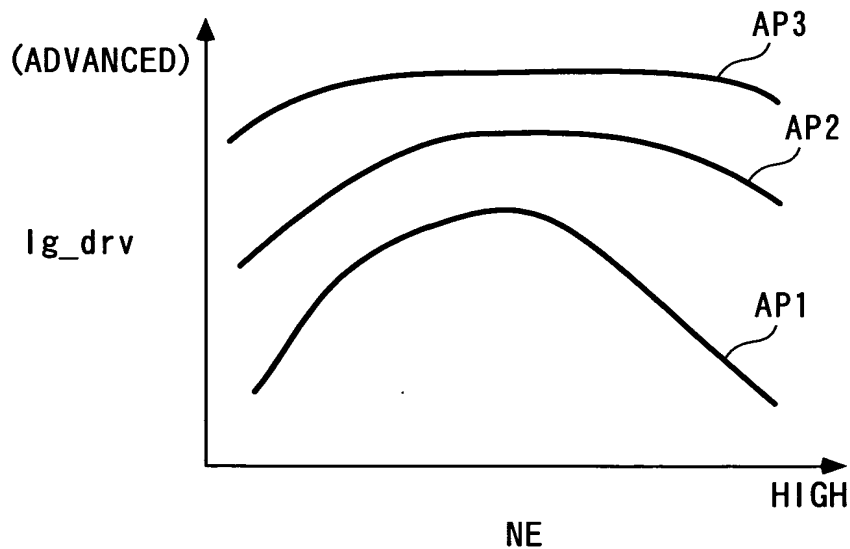
$$E n a s t(m) = N E(m) - N E_{ast} \quad \dots\dots (66)$$

$$I g_{fs} = I g_{fs_base} - K r c h^{\#\#} \cdot \sigma^{\#\#}(m) - K a d p^{\#\#} \sum_{i=0}^m \cdot \sigma^{\#\#}(i) \quad \dots\dots (67)$$

$$\sigma^{\#\#}(m) = E n f s(m) + P O L E^{\#\#} \cdot E n f s(m-1) \quad \dots\dots (68)$$

$$E n f s(m) = N E(m) - N E_{fs} \quad \dots\dots (69)$$

F I G. 5 0



H 0 3 - 1 7 4 5

(4 3 / 4 5)

F I G. 5 1

$$Gcyl_cmd_f(k) = -POLE_f \cdot Gcyl_cmd_f(k-1) + (1+POLE_f) \cdot Gcyl_cmd(k) \quad \dots\dots (70)$$

$$Liftin_cmd_ms(k) = Urch(k) + Uadp(k) \quad \dots\dots (71)$$

$$Urch(k) = -\frac{Krch}{b1} \cdot \sigma(k) \quad \dots\dots (72)$$

$$Uadp(k) = -\frac{Kadp}{b1} \cdot \omega(k) \quad \dots\dots (73)$$

$$\omega(k) = \omega(k-1) + \sigma(k) \quad \dots\dots (74)$$

$$\omega(k) = -\frac{Krch}{Kadp} \cdot \sigma(k) \quad \dots\dots (75)$$

$$\sigma(k) = Eg_c(k) + POLE \cdot Eg_c(k-1) \quad \dots\dots (76)$$

$$Eg_c(k) = Gcyl(k) - Gcyl_cmd_f(k) \quad \dots\dots (77)$$

F I G . 5 2

$$Gcyl_cmd_f(k) = -POLE_f \cdot Gcyl_cmd_f(k-1) + (1+POLE_f) \cdot Gcyl_cmd(k) \quad \dots\dots (78)$$

$$Cain_cmd_ms(k) = Urch'(k) + Uadp'(k) \quad \dots\dots (79)$$

$$Urch'(k) = -\frac{Krch'}{b1} \cdot \sigma'(k) \quad \dots\dots (80)$$

$$Uadp'(k) = -\frac{Kadp'}{b1} \cdot \omega'(k) \quad \dots\dots (81)$$

$$\omega'(k) = \omega'(k-1) + \sigma'(k) \quad \dots\dots (82)$$

$$\omega'(k) = -\frac{Krch'}{Kadp'} \cdot \sigma'(k) \quad \dots\dots (83)$$

$$\sigma'(k) = Eg_c(k) + POLE' \cdot Eg_c(k-1) \quad \dots\dots (84)$$

$$Eg_c(k) = Gcyl(k) - Gcyl_cmd_f(k) \quad \dots\dots (85)$$

F I G. 5 3

